

A STUDY OF POISSON'S RATIO IN THE UPPER CRUST  
OF THE SOCORRO, NEW MEXICO, AREA

by

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## Abstract

In order to find the average Poisson's ratio and spatial distribution of Poisson's ratio for the Socorro region, a twelve month survey of microearthquake activity in the vicinity of Socorro, N.M., was made using high gain (5.6 million at 60Hz) seismographs. Of the many events recorded during this time, 50 were selected on the basis of the number of recording stations and data quality. The 50 located microearthquakes in this study seem to be associated with three major structural features: (1) the area near or within Socorro Basin centered approximately 5 km north-northwest of Socorro, (2) the southwestern margin of Socorro Mountain, and (3) the southern end of the La Jencia Basin.

Wadati diagrams were drawn for each of the events to find the associated Poisson's ratio. The 50 Wadati diagrams indicated an average Poisson's ratio of 0.262 with a standard deviation of 0.034 for the Socorro area. This average Poisson's ratio is about 21 percent greater than the value of 0.217 found for crustal rock further north in the rift (Sakdejyont, 1974). The difference in Poisson's ratio implies a difference in  $V_s$  for the two areas, 3.30 km/sec versus 3.49 km/sec.

Initially, using a composite Wadati diagram or ray-path technique, three Poisson's ratio anomalies within

the upper crust were defined: one in the southern La Jencia Basin, a second just below Socorro Mountain, and a third in the central La Jencia Basin. The average Poisson's ratios assigned to these anomalies were 0.292, 0.289, and 0.284 respectively. However, taking into account the locations of the hypocenters used in defining the anomalies, it was found that only two anomalous areas could be supported by this study. One is located in the southern La Jencia Basin while the other is north of station CM.

Of the factors which affect Poisson's ratio, (1) fracturing (fluid or gas-filled), (2) pressure-temperature (assuming a normal geothermal gradient), and (3) composition, none could adequately explain the observed Poisson's ratio anomalies. However, one or more shallow partial melts could explain the anomalous Poisson's ratios.

The study of Poisson's ratio cannot be used at this time to make any geothermal resource estimates. But one area in the investigation of geothermal resources in which the study of Poisson's ratio might be useful is indicating those areas which could have magma present.

## Introduction

The purpose of the study described in this report was (1) to find an average Poisson's ratio for the local Socorro region from 50 located microearthquakes and (2) to determine the spatial distribution of Poisson's ratio in the upper crust from body waves generated by the 50 microearthquakes. Of special interest in this study was the location of areas in the Socorro region with anomalously high Poisson's ratio because these segments of the crust may contain magma.

## Data Collection

This study incorporated the use of five to six Sprengnether Instrument Company MEQ-800 portable seismographs. Each system consisted of either a Mark Products L4C (1.0Hz) or a Willmore (1.5Hz) vertical seismometer, a gain stable amplifier, a quartz-crystal controlled timing system, and a smoked paper helical recorder which operated at a recording speed of 120 millimeters/minute.

A magnification versus frequency plot is shown in Figure 1 for the MEQ-800 seismographs at the most typical gain and filter settings. Gain settings could be varied from 60 to 120 db (6 db steps), depending on the amount of background noise. Filtering of high and low frequencies was possible, but only signals above 30Hz were ever filtered.

Clocks on all seismographs were synchronized to WWV-UST at the onset of each recording period (4 days). The clocks were similarly checked for drift at the end of the recording period. Any drift of the clock was assumed to have occurred linearly and timing corrections were made accordingly.

This study uses 50 events which were recorded from May, 1975, to April, 1976. Many different arrays were used during this time period, and in all, 17 different

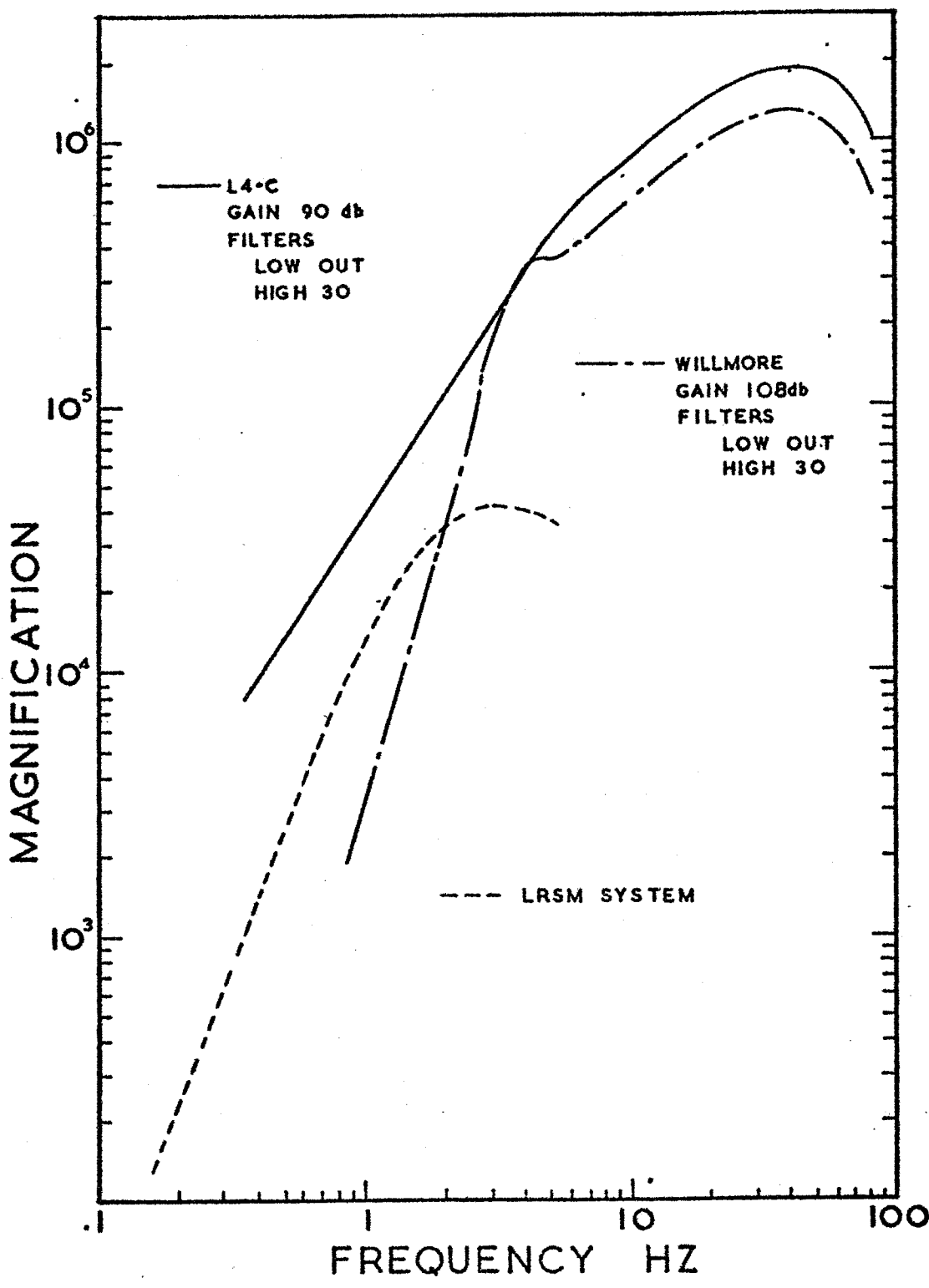


Figure 1. Magnification curves of MEQ-800 seismic unit with an L4C or Willmore geophone at the most typical field settings.

station locations were occupied (Figure 2). All stations were located on consolidated sediments or igneous rock in order to minimize arrival time delays. Station locations along with meanings of station letter designations are listed in Table 1.

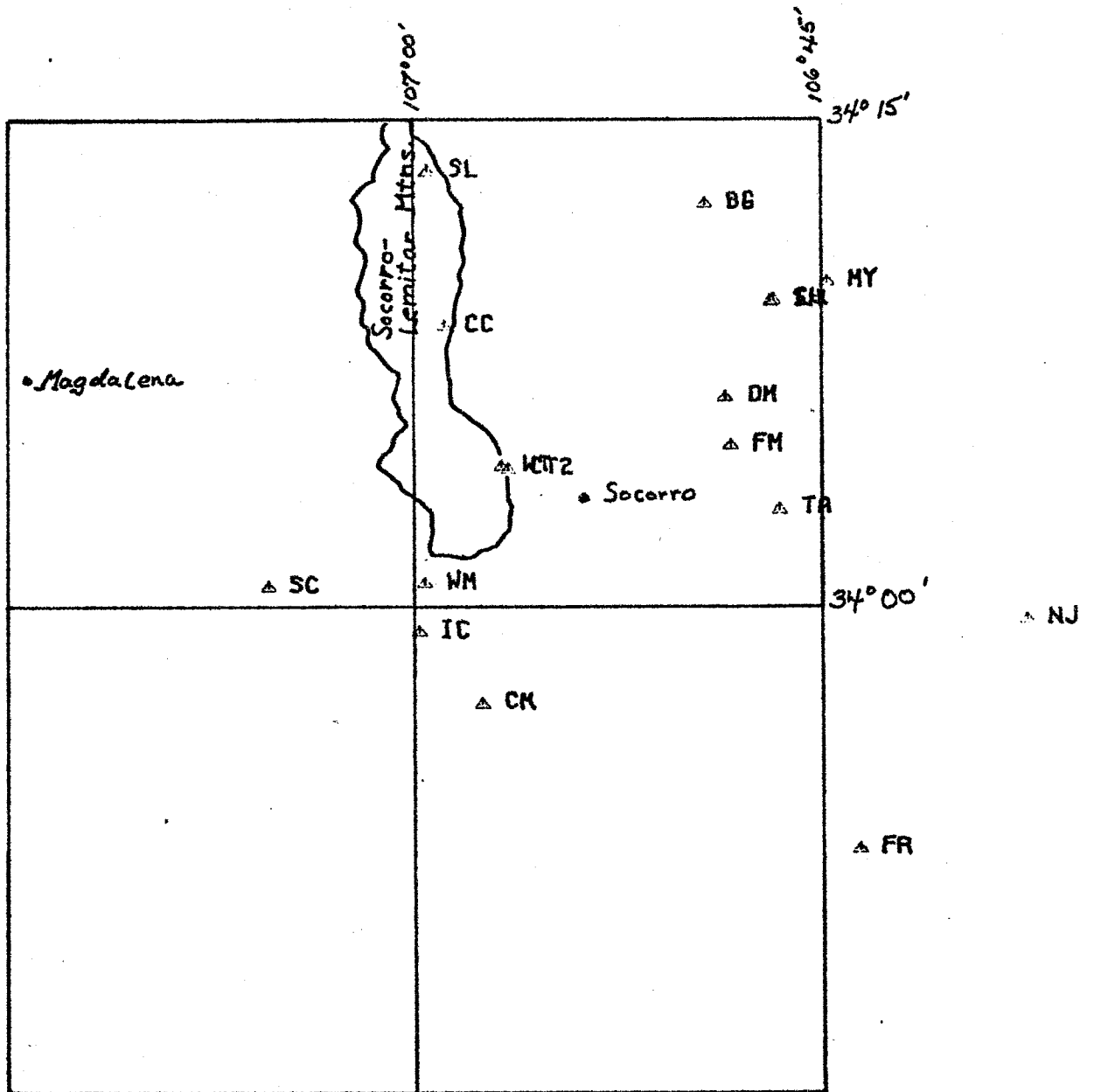


Figure 2. Seismic stations occupied in this study.



Table 1. The Meanings of Station Letter Designations and Locations of Seismic Stations Used in this Study.

<u>STATION</u>	<u>SYMBOL</u>	<u>LATITUDE</u>	<u>LONGITUDE</u>	<u>ELEVATION</u>
WOODS TUNNEL	WT	34.0722	106.9459	1555m
WINDMILL	WM	34.0120	106.9929	1673m
TAJO ARROYO	TA	34.0498	106.7751	1558m
STONE HOUSE	SH	34.1570	106.7802	1577m
SOUTH CANYON	SC	34.0100	107.0894	2073m
NORTH JOURNADA	NJ	33.9924	106.6253	1644m
MESA DEL YESO	MY	34.1667	106.7459	1645m
INDIAN CAVE	IC	33.9870	106.9967	1730m
FITE RANCH	FR	33.8747	106.7270	1558m
DUCHESS MINE	DM	34.1075	106.8079	1536m
CANONCITO DE LA UVA CU		34.1573	106.7785	1585m
CHUPADERA MINE	CM	33.9501	106.9576	1640m
BOWLING GREEN	BG	34.2068	106.8205	1516m
CORKSCREW CANYON	CC	34.1442	106.9812	1649m
FLUORITE MINE	FM	34.0829	106.8047	1573m
SAN LORENZO	SL	34.2234	106.9910	1615m
CENTER TUNNEL 2	CT2	34.0707	106.9418	1510m

## Location of Microearthquakes

### Procedure

Two methods were used to locate the 50 events in this study: one involved the use of a computer-adapted graphical technique which uses the intersection of chords and the second involved an iterative numerical location program. In both location methods, the crust near Socorro was assumed to be a homogeneous half-space with a P-wave velocity of 5.8 km/sec.

Using the above techniques, the actual procedure undertaken to locate the events was the following: A line with a slope of 0.732 was fitted to the plot of S-P times versus P-arrivals for an event. The point at which the line crosses the abscissa was noted because this point was used as an initial origin time estimate. This initial estimate of the origin time was inserted in the iterative location program. Once an iterative solution was obtained, the origin time found from the iterative solution was used to obtain a graphical solution. If the two solutions agreed the location was finalized, if they did not, the origin time was changed to obtain a best fit from the graphical technique. Once a best fit was obtained, the location and origin time were finalized.

### Distribution of Microearthquake Epicenters

The epicenters for the 50 located microearthquakes

used in this study are plotted in Figure 3. Corresponding locations and origin times are listed in Table 2.

The major structural features which exhibit micro-earthquake activity are (1) the area near or within the Socorro Basin centered approximately 5 km north-northwest of Socorro, (2) the southwestern margin of Socorro Mountain, and (3) the southern end of the La Jencia Basin (Figure 3).

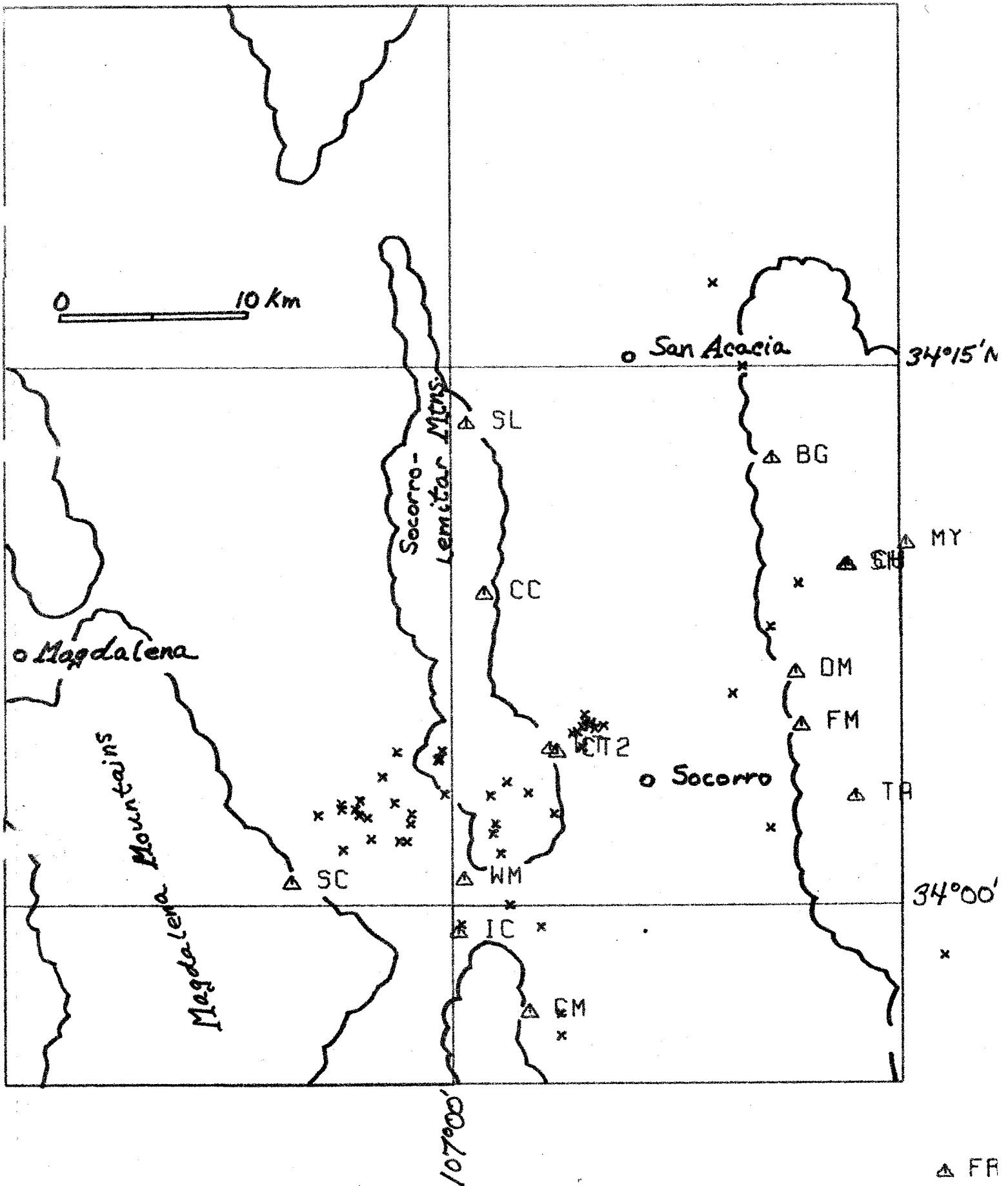


Figure 3. Epicenters of the 50 events used in this study.

Table 2. Microearthquakes Locations, Origin Times, and Poisson's Ratios.

<u>DATE</u>	<u>ITERATIVE ORIGIN TIME</u>	<u>LATITUDE</u>	<u>LONGITUDE</u>	<u>DEPTH</u>	<u>LOCATION</u>	
					<u>GRADE</u>	<u>POISSON'S RATIO</u>
05-22-75	11:36:29.03	33.9397	106.9395	4.70	G	.259
05-22-75	13:19:41.40	33.9500	106.9400	N/A	P	.266
06-03-75	15:10:15.60	34.0301	107.0296	9.50	E	.273
07-30-75	21:44:42.10	34.0848	106.9223	8.20	G	.266
08-05-75	02:26:02.50	34.0335	106.9772	7.60	G	.262
08-05-75	04:17:20.92	34.0379	106.9758	7.80	G	.284
08-08-75	10:53:58.00	34.0837	106.9233	6.70	G	.272
08-08-75	10:57:22.59	34.0796	106.9329	6.80	E	.277
08-12-75	07:09:11.15	34.0357	106.8225	0.0	G	.250
08-12-75	15:25:28.30	34.0513	106.9785	8.80	E	.323
08-13-75	05:19:18.20	34.0823	106.9207	7.30	G	.255
08-13-75	07:39:18.40	34.0826	106.9274	7.90	G	.269
08-13-75	11:22:26.90	34.0245	106.9731	9.10	G	.253
08-20-75	05:16:39.70	34.0882	106.9261	10.10	E	.238
08-20-75	12:20:52.35	34.0833	106.9153	7.00	E	.286
08-20-75	15:29:36.60	34.0848	106.9261	6.90	E	.248
08-21-75	03:44:48.70	34.0407	107.0470	9.50	G	.264
08-21-75	19:04:06.50	34.0575	106.9692	7.50	E	.273
08-29-75	08:52:18.80	34.0737	106.9271	7.20	E	.278
09-16-75	13:30:52.55	34.0804	106.9301	6.70	G	.238
11-04-75	16:30:12.10	34.0491	107.0517	10.00	G	.194
11-05-75	22:28:26.70	34.0424	107.0228	4.50	G	.312
11-07-75	08:27:36.10	34.0480	107.0323	7.10	G	.218
01-27-76	08:37:44.73	34.1290	106.8220	8.90	E	.275
01-27-76	10:05:24.07	34.1490	106.8060	9.60	G	.245
01-29-76	15:06:40.70	34.0000	106.9680	6.50	E	.269
02-17-76	06:17:49.07	34.0450	107.0620	10.20	E	.252
02-17-76	17:34:05.13	34.0520	107.0040	8.20	G	.307
02-18-76	23:25:35.22	34.0420	107.0520	6.20	G	.216
02-19-76	00:08:36.77	34.0260	107.0610	8.60	E	.252
02-20-76	12:51:45.10	34.0310	107.0450	N/A	P	.280
03-18-76	14:45:16.00	33.9760	106.7260	N/A	P	.259
03-18-76	18:34:51.00	34.0420	107.0750	6.10	G	.213
03-23-76	12:53:20.55	34.2500	106.8370	N/A	P	.149
03-25-76	10:50:54.65	34.0425	106.9435	5.50	E	.290
04-13-76	09:45:40.73	34.0720	107.0050	6.10	G	.277
04-13-76	11:41:25.73	34.0450	107.0540	11.40	G	.238
04-13-76	11:58:34.65	33.9900	106.9510	6.40	G	.230
04-13-76	23:15:15.00	34.0300	107.0250	6.00	G	.247
04-14-76	01:50:28.91	33.9910	106.9950	9.10	E	.214
04-14-76	13:12:21.50	34.0710	107.0310	N/A	P	.288
04-15-76	08:45:52.70	34.0680	107.0080	3.60	G	.307
04-15-76	18:28:37.46	34.0521	106.9574	4.80	G	.283
04-16-76	05:34:38.85	34.0380	107.0230	6.10	E	.325
04-16-76	09:33:43.03	34.0670	107.0070	6.60	E	.290
04-16-76	14:07:33.47	34.0686	107.0067	6.90	G	.320
04-20-76	02:52:19.33	34.0470	107.0620	N/A	P	.230

Table 2. continued

<u>DATE</u>	<u>ITERATIVE ORIGIN TIME</u>	<u>LATITUDE</u>	<u>LONGITUDE</u>	<u>DEPTH</u>	<u>LOCATION GRADE</u>	<u>POISSON'S RATIO</u>
04-20-76	08:32:19.19	34.0980	106.8430	4.00	E	.221
04-21-76	11:16:20.17	34.2880	106.8530	N/A	P	.294
04-23-76	05:57:59.97	34.0600	107.0390	N/A	P	.278

## Data

A complete listing of the data used in this study can be found in Appendix I. Note that only those micro-earthquakes which were recorded at a minimum of five stations were used in this study.

In the data set, the P-wave arrival times were read with a traveling microscope by Richard P. Mott (1976) and/or Eric J. Rinehart (1976), but double-checked by the author with a millimeter scale. All of the S-P intervals were measured carefully with a traveling microscope by the author. Each S-P interval was graded according to its readability and the grading system was as follows:

E= excellent- very sharp P and S phases with no noise obscuring the beginning of the phases.

G= good- a little noise obscuring the phases, but the beginnings of the P and S phases obvious.

F= fair- some noise in data, amplitudes are such that the S pick is somewhat subjective, but not unreasonable.

P= poor- S phase somewhat obscure, but picked by a change in frequency and/or change in amplitude.

A one standard deviation reading error associated with the P-arrival time is estimated by Rinehart (1976) to be about .03 sec. The one standard deviation reading error associated with the S-P intervals are grade-dependent; the poorer the grade, the larger the respective

reading error. The following one standard deviation reading errors for the S-P intervals were estimated by the author: (1) E (.02 sec.), (2) G (.04 sec), (3) F (.06 sec.), and (4) P (.09 sec.).

Some of the events in the data set were not assigned a depth as can be seen from Table 2. In this study, the locations of each of the 50 events were assigned a grade of either excellent (E), good (G), or poor (P). The grade, which was assigned by Rinehart (1976), was dependent upon (1) the magnitude of residuals in the iterative location program, (2) the location of the epicenter within or outside of the array, (3) epicentral distance of the nearest seismic station, and (4) the ability to use a reflection off a prominent discontinuity to resolve depth. The above criteria was not met by the grade P locations and therefore no reliable depths could be assigned.

Eighty-four percent of the events used in this study were graded either good or excellent. The other 16 percent were kept in the data set for several reasons: (1) the data set was already limited by the requirement of 5 or 6 station locations and (2) the S-P intervals and P-arrivals were not necessarily poor on these events and thus they could be used in the analysis of the average Poisson's ratio for the Socorro region.

Finally, it must be noted that the data set used in this study was fixed as of October, 1976. Continuing studies at New Mexico Institute of Mining and Technology



could subject this data set to change. Before the data used in this study is put to any future use one should check to see if any subsequent changes have been made.

### Previous Studies of Poisson's Ratio Near Socorro

A study of the ratio of P-wave velocity to S-wave velocity and Poisson's ratio was conducted in the Rio Grande Rift, between Albuquerque and Socorro, N.M., by Kiet Sakdejayont (1974). Thirty-two well-recorded micro-earthquakes within 45 km of the Socorro station were used in his study. The Poisson's ratio and  $V_p/V_s$  ratio were found to be 0.217 and 1.664, respectively. These two comparatively low values were considered by Sakdejayont to be normal values for the Rio Grande Rift.

## Poisson's Ratio From Seismic Observations

### Procedure

Figure 4 is a plot of S-P times versus P-arrival times for several events recorded by this survey. These plots are called Wadati diagrams. Note that the plot of S-P intervals versus P-arrival gives a straight line with a slope of  $(\alpha/\beta - 1)$  which come from the relation

where  $(S-P) = (P-O)(\alpha/\beta - 1)$ ,  
 S = S-wave arrival time,  
 P = P-wave arrival time,  
 O = Origin time of the microearthquake,  
 $\alpha$  = P-wave velocity,  
 $\beta$  = S-wave velocity.

A Wadati diagram was drawn and a linear regression analysis performed to find Poisson's ratio associated with each event. This was done by using the slope of the straight line to find the velocity ratio  $\alpha/\beta$ . The equation connecting the velocity ratio  $(\alpha/\beta)$  and Poisson's ratio is

$$\gamma = \frac{(\alpha^2/\beta^2 - 2)}{2(\alpha^2/\beta^2 - 1)}.$$

Figure 5 is a graph of this relationship between Poisson's ratio and the velocity ratio. Marked on this graph is the often assumed value of Poisson's ratio of 0.25.

### Results

Poisson's ratio was computed for all of the 50 events used in this study. The results are listed in Table 2. The mean value of Poisson's ratio was found to be 0.262

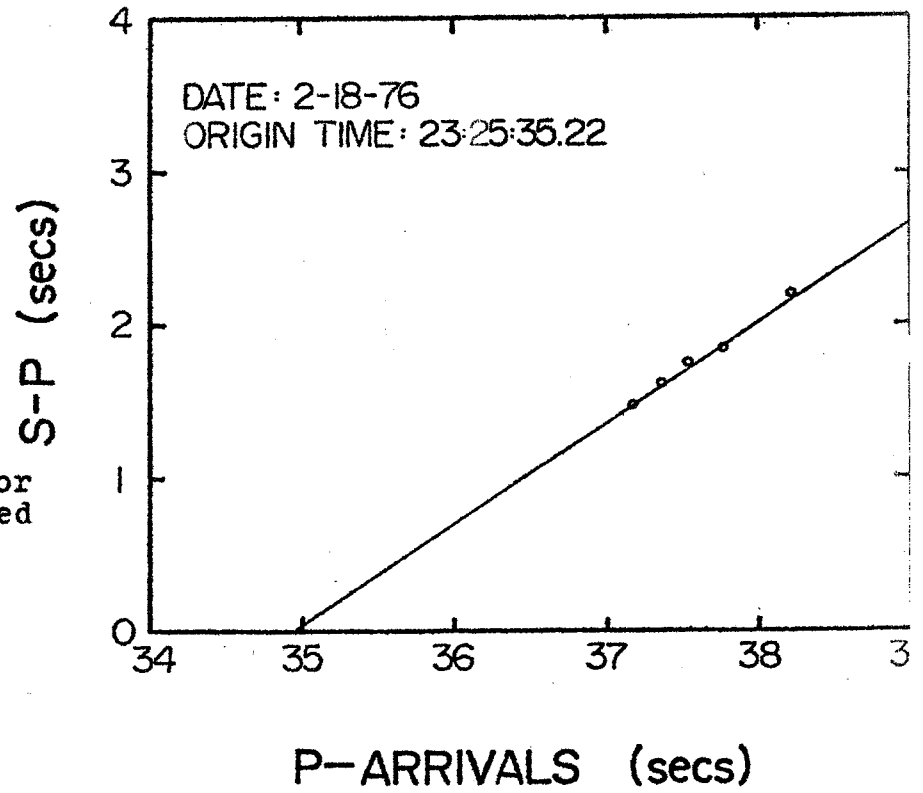
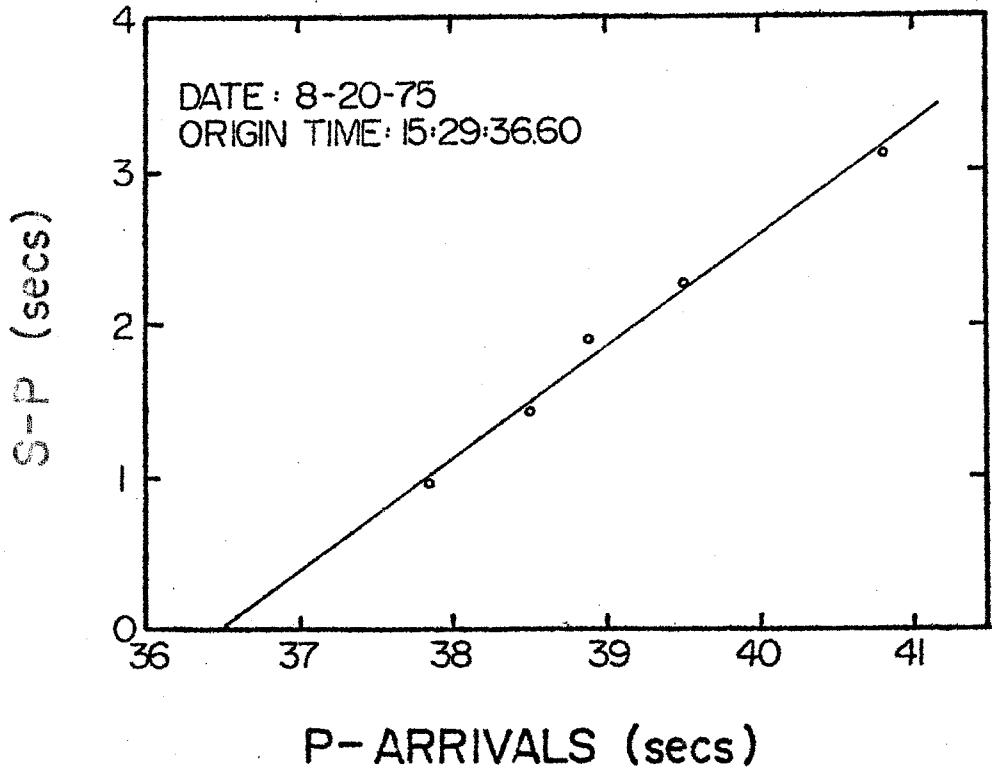


Figure 4. Wadati diagrams for two events recorded in this survey.

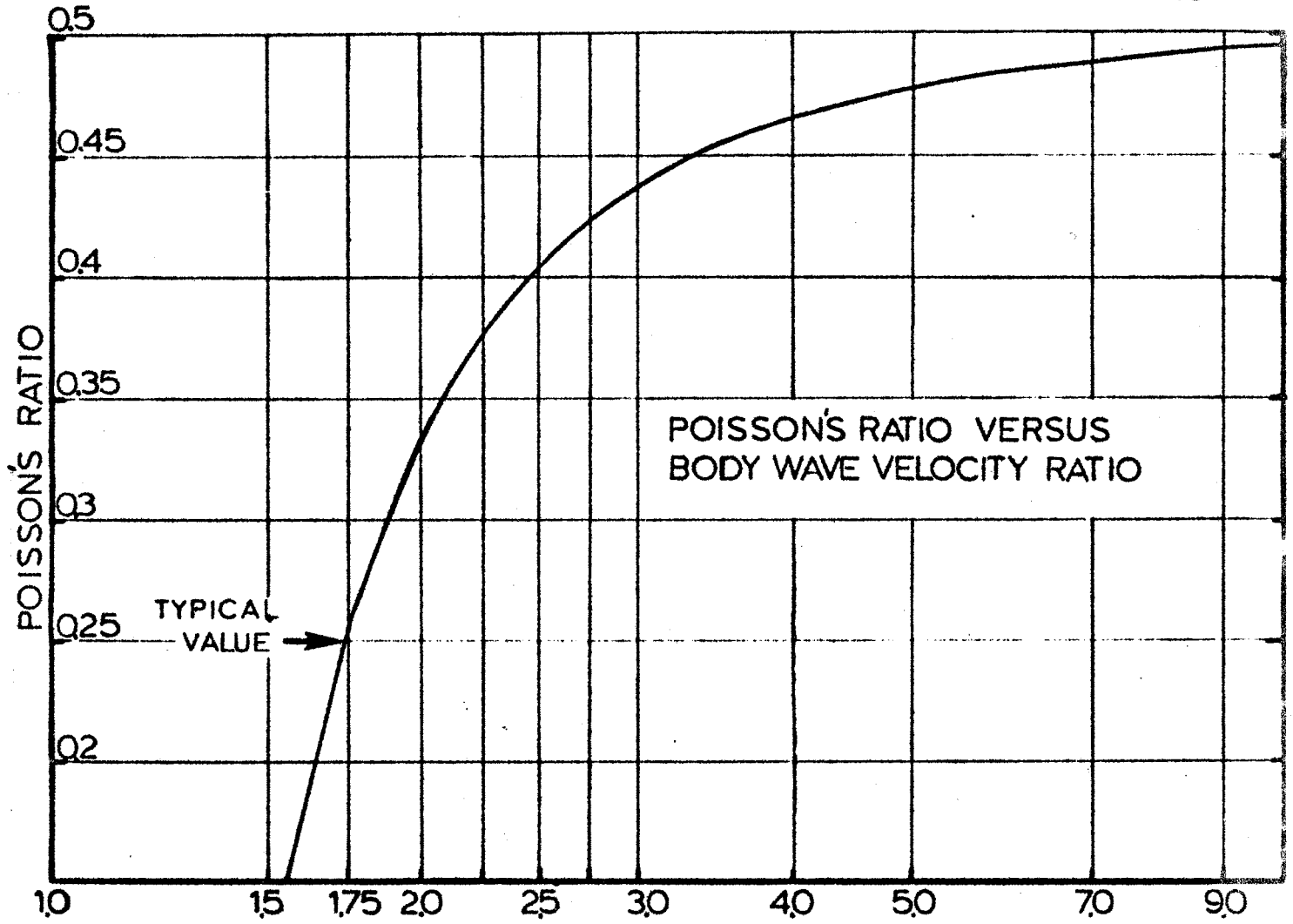


Figure 5. The relationship between Poisson's ratio and the velocity ratio ( $\alpha/\beta$ ).

with a standard deviation of 0.034. The epicenters for the 50 microearthquakes and their associated Poisson's ratios are plotted in Figure 6. The figure shows a dispersed Poisson's ratio picture with no apparent pattern. One might suggest that Poisson's ratio is decreasing away from the major activity areas, but this observation is purely subjective.

Two origin times were found for each event. One was found by the method discussed in the Location of Micro-earthquake Procedure section, which hereafter will be called the iterative origin time because most of them were generated by the iterative location program. The second was found using a linear regression analysis of the straight line plots of P-arrivals versus S-P intervals or Wadati diagrams for each event (Table 3). The iterative origin time for each event was compared with the Wadati origin time. Most of the iterative origin times fell within the 95 percent confidence intervals of the Wadati origin times. The events for which the iterative origin time and Wadati origin time did not agree had one or two special characteristics; either the S-P picks were very poor, which resulted in the dropping of that event from the data set or one or more stations exhibited an early arrival time or large S-P interval which probably pushed the 95 percent confidence interval out of its normal range. For an example of the second case, see Figure 7. Events of the type shown in Figure 7 were kept in the data set because their P-arrivals

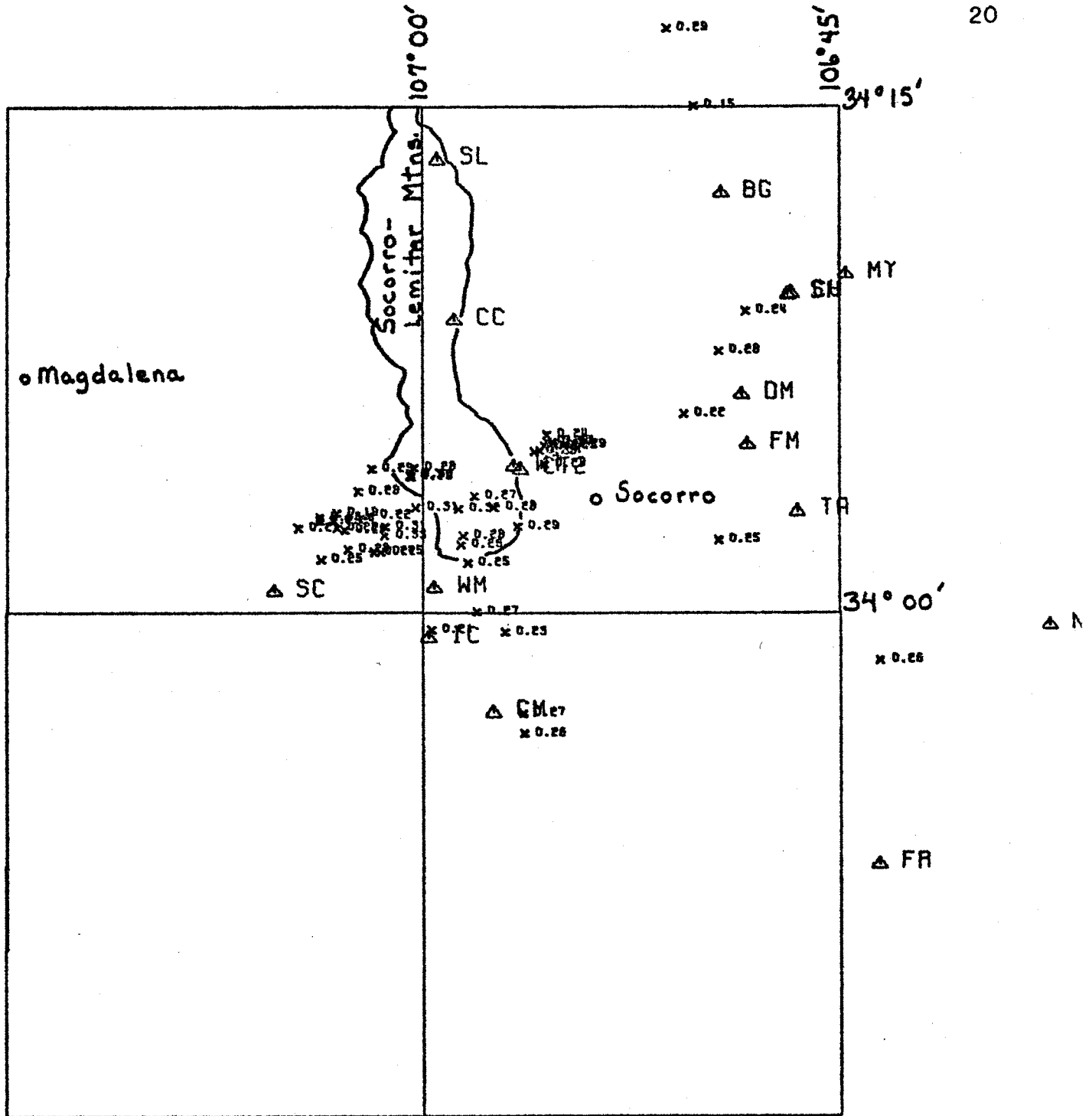


Figure 6. A plot of the 50 epicenters and their associated Poisson's ratios.

Table 3. A list of the Wadati origin times and relevant statistical information for the 50 events in this study.

<u>DATE</u>	<u>WADATI ORIGIN TIME</u>	<u>SLOPE</u>	<u>STANDARD DEVIATION OF THE SLOPE</u>	<u>CORRELATION COEFFICIENT</u>	<u>POISSON'S RATIO</u>
05-22-76	11:36:28.86	0.7538	0.0506	0.9933	0.259
05-22-76	13:19:41.35	0.7703	0.0216	0.9988	0.266
06-03-75	15:10:15.61	0.7894	0.0630	0.9906	0.273
07-30-75	21:44:42.08	0.7701	0.0385	0.9963	0.266
08-05-75	02:26:02.29	0.7621	0.0366	0.9966	0.262
08-05-75	04:17:21.00	0.8214	0.0736	0.9882	0.284
08-08-75	10:53:57.93	0.7880	0.0269	0.9983	0.272
08-08-75	10:57:22.36	0.7999	0.0428	0.9957	0.277
08-12-75	07:09:10.57	0.7318	0.0625	0.9857	0.250
08-12-75	15:25:28.95	0.9565	0.1053	0.9822	0.323
08-13-75	05:19:18.18	0.7432	0.0356	0.9954	0.255
08-13-75	07:39:18.51	0.7781	0.0382	0.9952	0.269
08-13-75	11:22:26.69	0.7402	0.0397	0.9957	0.253
08-20-75	05:16:39.69	0.7061	0.0316	0.9970	0.238
08-20-75	12:20:52.56	0.8255	0.0520	0.9941	0.286
08-20-75	15:29:36.47	0.7271	0.0439	0.9946	0.248
08-21-75	03:44:48.79	0.7671	0.0658	0.9892	0.264
08-21-75	19:04:06.38	0.7891	0.0723	0.9877	0.273
08-29-75	08:52:18.79	0.8032	0.0592	0.9919	0.278
09-16-75	13:30:52.26	0.7049	0.0165	0.9992	0.238
11-04-75	16:30:11.16	0.6236	0.0169	0.9989	0.194
11-05-75	22:28:26.65	0.9144	0.0223	0.9991	0.312
11-07-75	08:27:35.55	0.6652	0.0607	0.9877	0.218
01-27-76	08:37:44.75	0.7961	0.0526	0.9935	0.275
01-27-76	10:05:24.01	0.7207	0.0163	0.9992	0.245
01-29-76	15:06:40.38	0.7793	0.0587	0.9889	0.269
02-17-76	06:17:49.05	0.7364	0.0768	0.9843	0.252
02-17-76	17:34:05.66	0.8942	0.1464	0.9621	0.307
02-18-76	23:25:34.95	0.6623	0.0317	0.9954	0.216
02-19-76	00:08:36.78	0.7363	0.0926	0.9691	0.252
02-20-76	12:51:45.43	0.8091	0.1246	0.9642	0.280
03-18-76	14:45:16.37	0.7531	0.0432	0.9935	0.259
03-18-76	18:34:50.53	0.6567	0.0415	0.9940	0.213
03-23-76	12:53:17.80	0.5576	0.0760	0.9732	0.149
03-25-76	10:50:54.32	0.8387	0.0178	0.9993	0.290
04-13-76	09:45:40.71	0.8005	0.0543	0.9907	0.277
04-13-76	11:41:25.30	0.7053	0.1008	0.9613	0.238
04-13-76	11:58:34.52	0.6893	0.0232	0.9977	0.230
04-13-76	23:15:14.93	0.7256	0.0447	0.9944	0.247
04-14-76	01:50:28.44	0.6585	0.2088	0.8443	0.214
04-14-76	13:12:21.28	0.8332	0.0835	0.9852	0.288
04-15-76	08:45:52.93	0.8943	0.0327	0.9974	0.307
04-15-76	18:28:37.36	0.8179	0.0396	0.9964	0.283
04-16-76	05:34:39.22	0.9653	0.0540	0.9953	0.325
04-16-76	09:33:43.13	0.8394	0.0641	0.9884	0.290
04-16-76	14:07:33.82	0.9451	0.1004	0.9779	0.320
04-20-76	02:52:19.09	0.6890	0.0094	0.9997	0.230



Table 3. continued

<u>DATE</u>	<u>WADATI ORIGIN TIME</u>	<u>SLOPE</u>	<u>STANDARD DEVIATION OF THE SLOPE</u>	<u>CORRELATION COEFFICIENT</u>	<u>POISSON'S RATIO</u>
04-20-76	08:32:18.76	0.6712	0.0712	0.9835	0.221
04-21-76	11:16:19.81	0.8508	0.1332	0.9543	0.294
04-23-76	05:57:59.56	0.8027	0.0598	0.9918	0.278

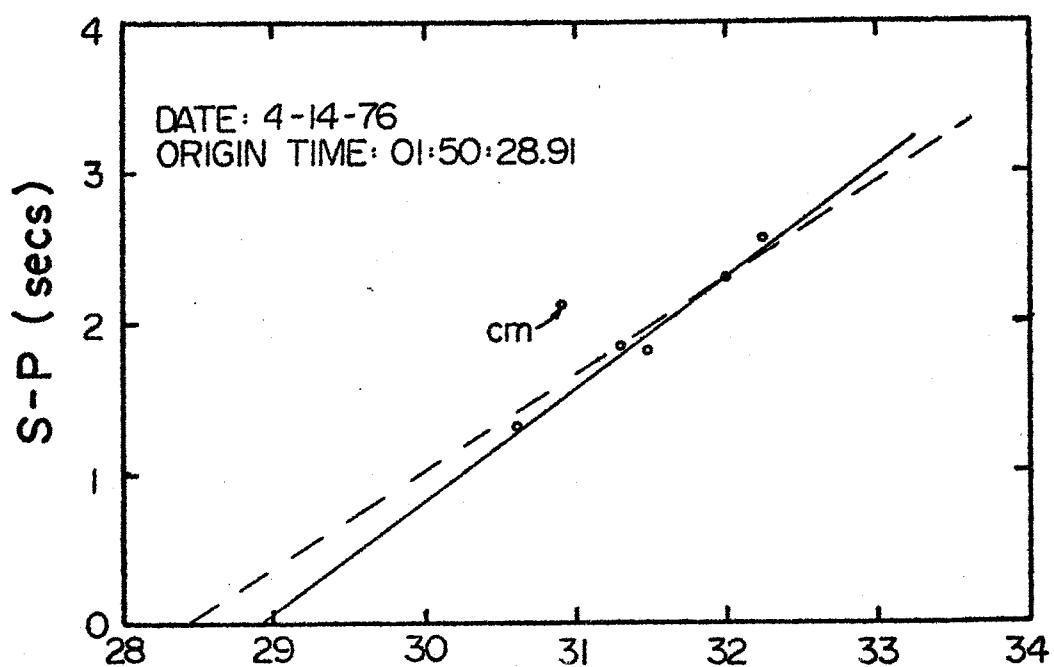


Figure 7. An example of an event which exhibited an early arrival time or large S-P interval. The dashed line is the best fit line including station CM. The solid line is the best fit line excluding station CM.

and S-P intervals were thought to be just as good or better than the P-arrivals and S-P intervals associated with other events used in this study.

In discussing the two origin times, some observations need to be made. First, the iterative origin time is based on a minimum residual concept using a half-space crustal model with a P-wave velocity of 5.8 km/sec. Second, Wadati origin times have somewhat large confidence intervals due to the small number of data points and the fact that the S-P intervals are of variable quality. At this point one might ask which origin time is best suited for use in the Socorro area? Considering the large variations in Poisson's ratio, as can be seen from Table 2, one might think that the Wadati origin time is best because the velocity variations in the array are averaged. In discussing this point, just the opposite argument can be put forth. The large variations in Poisson's ratio in the Socorro region must indicate large variations in the S-wave velocity, because a number of observations suggest that a P-wave velocity of 5.8 km/sec is close to the true velocity (Topozada and Sanford, 1976). Taking into account the small variation in the P-wave velocity, and large variations in the S-wave velocity, the iterative origin time, which minimizes the residuals assuming a P-wave velocity of 5.8 km/sec, is without question the best estimate of the microearthquake origin time.

Finally, an attempt was made to correlate Poisson's ratio with hypocenter depth. Figure 8 is a plot of

POISSON'S RATIO

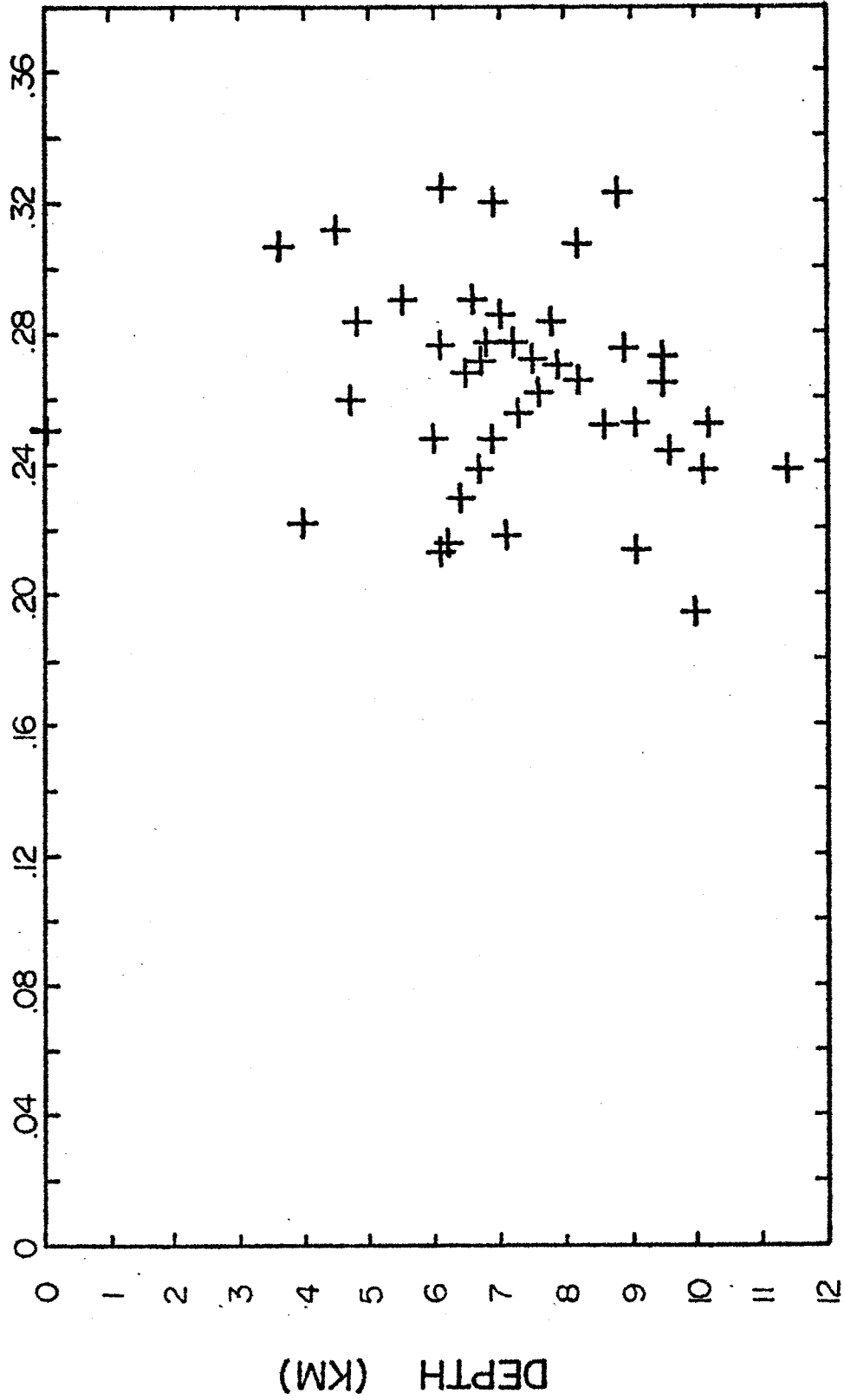


Figure 8. The plot of depth of focus versus Poisson's ratio for the 42 events graded good or excellent.

Poisson's ratio versus hypocenter depth for the 42 events graded good or excellent. A linear regression analysis was applied to the data in this figure and a correlation coefficient of 0.17 was obtained. This correlation coefficient indicates that no linear correlation between Poisson's ratio and hypocenter depth exists.

#### Statistical Variation of Poisson's Ratio

In order to determine the statistical variation in Poisson's ratio, correlation coefficients and 95 percent confidence intervals on the slope were included in the linear regression analysis. Of the 50 events, the best computed correlation coefficient was 0.9997 and the 95 percent confidence interval on Poisson's ratio was  $\pm 0.012$ . Despite the almost perfect straight line fit, the small number of data points created a statistical scatter in the slope. In this type of study on Poisson's ratio, a large number of stations will give a greater statistical confidence in the results, except in the case where the distribution of the stations with respect to the hypocenters results in the S-P intervals being very similar. The equations used in the above analysis are listed and discussed briefly in Appendix II.

## Spatial Distribution of Poisson's Ratio

### Procedure

Before discussing the technique used to find the spatial distribution of Poisson's ratio in the Socorro area, the basic equation in this study should be reviewed:

$$(S-P) = (P-O) \left( \frac{\alpha}{\beta} - 1 \right)$$

In addition to giving an estimate of the origin time of the event this equation also yields information about the velocity ratio without requiring the development of travel-time curves or the location of the seismic sources. However, each individual raypath from a microearthquake focus to the receiving stations can be assigned a characteristic velocity ratio and/or Poisson's ratio depending on the average physical parameters of the earth between the points. Because of this, the velocity ratio and Poisson's ratio obtained for a specific microearthquake is an average for the different travel paths in the array (Figure 9). To determine the velocity ratio and/or Poisson's ratio for an area more directly, a new method, herein called the raypath technique, was devised.

To find the spatial distribution of Poisson's ratio from the raypath technique, composite Wadati diagrams were constructed. The actual construction procedure was as follows: (1) an imaginary circle around each of the

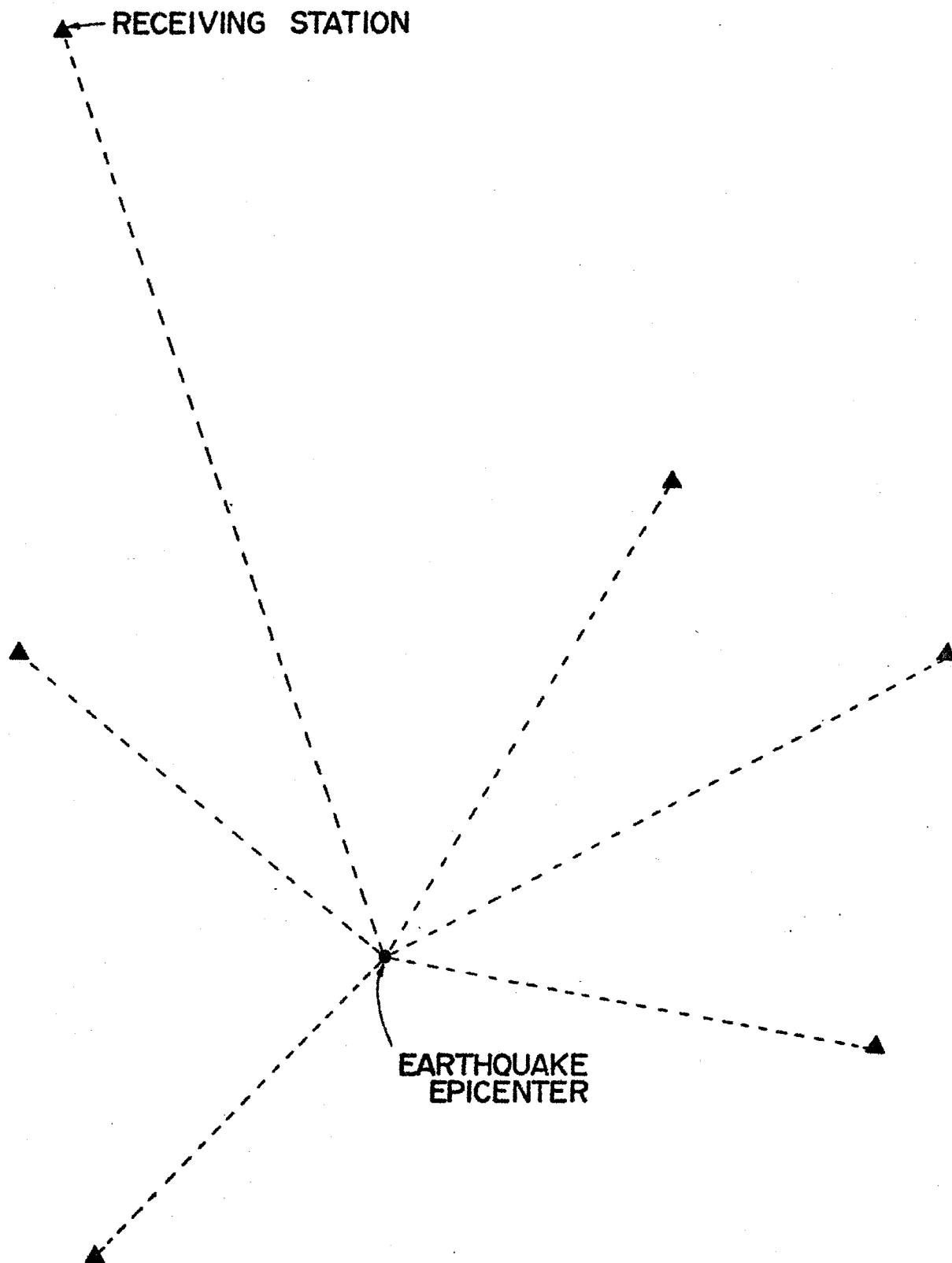


Figure 9. A typical array used in a microearthquake survey.

receiving stations was drawn, (2) the circle was divided into 10 degree increments (the number of degrees in an increment would be dependent on the area of study, amount of microearthquake activity, and the personal preference of the researcher), (3) the S-P intervals of raypaths which lie within each wedge-shaped crustal segment around the station were plotted against their P-wave travel times, and (4) a linear regression analysis, assuming the line must pass through the 0.0 point, was performed on the data points to find the velocity ratio and thus Poisson's ratio for each crustal segment at each receiving station. A minimum of three data points were required for each crustal segment, i.e. at least two travel paths, before a linear regression analysis was performed. It is important to note again that each increment used the point 0.0 as one of its data points because 0.0 corresponds to the origin time of all events in the analysis. Thus the lines of best fit had to rotate about the 0.0 point (Figure 10).

This iterative process is quite adaptable to the computer and two parameters, latitude and longitude, or three parameters, latitude, longitude, and depth of focus, may be used to construct a Poisson's ratio model for an area. Because of the limited data set, the author chose to ignore depth of focus and found two parameter Poisson's ratio models for the Socorro area.

#### Socorro Raypath Analysis

Two types of raypath computations were undertaken for



● EARTHQUAKE EPICENTER

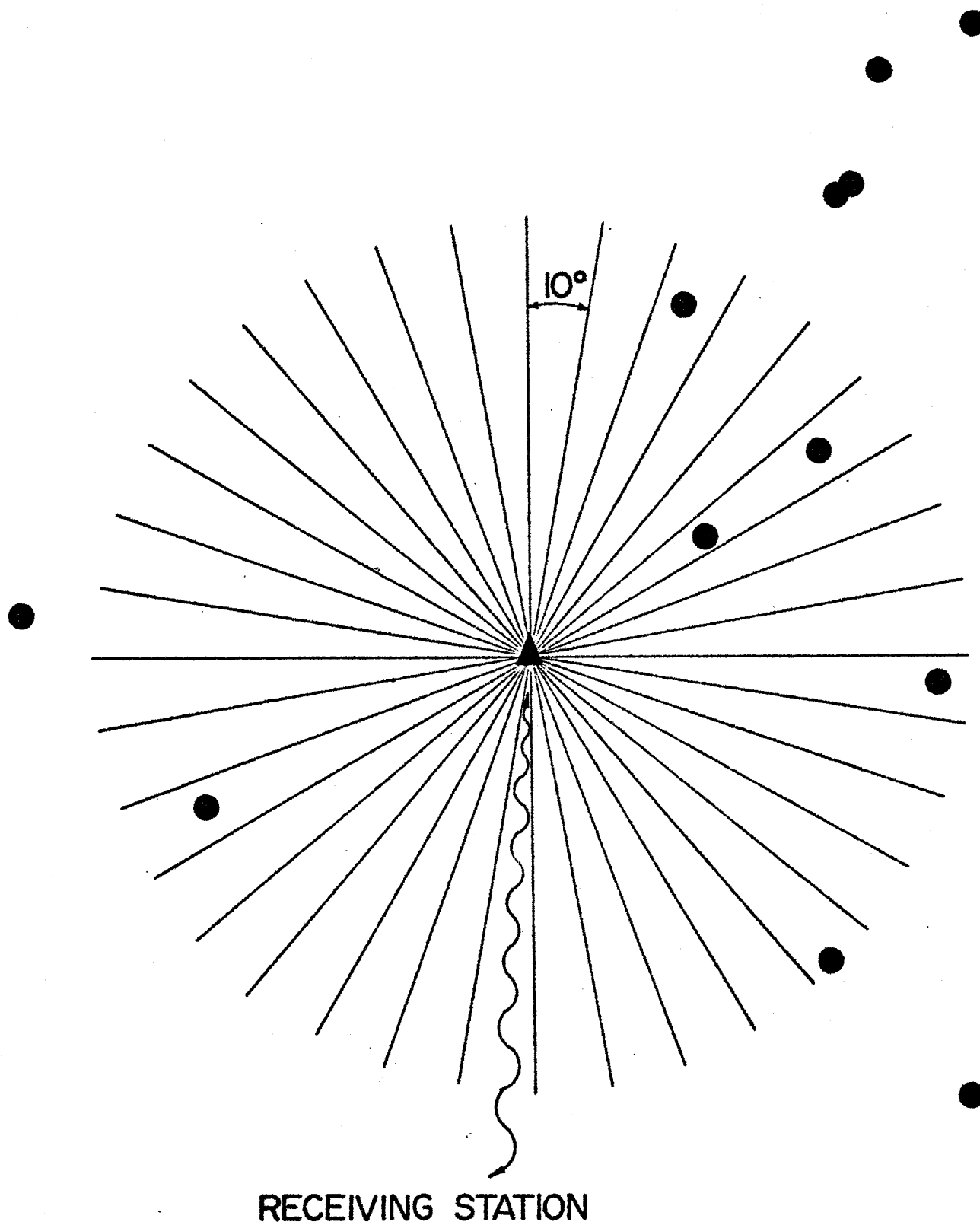


Figure 10. The distribution of crustal wedges used in the study of the spatial distribution of Poisson's ratio for a seismic receiving station.

the Socorro area, one based on the iterative origin times and the other based on origin times obtained from Wadati diagrams. The Wadati origin times were generated by fitting a line with a slope of 0.756 ( $V = 0.26$ ) to a Wadati diagram for each event.

Figure 11 shows the results of the Socorro raypath analysis using iterative origin times and 10 degree increments of the crust around each station. Note only 9 stations of the total 17 were occupied long enough to accumulate enough data for this type of analysis.

Since the raypath technique is new, the actual interpretation of the results is quite subjective. It was decided to first look at areas defined by intersecting crustal increments from two or more stations, each increment having a Poisson's ratio significantly higher ( $> 0.28$ ) than the average found for the Socorro area. Three such anomalous areas were defined. They are: (1) southern La Jencia Basin with an average Poisson's ratio of 0.292, (2) Socorro Mountain with an average Poisson's ratio of 0.289, and (3) central La Jencia Basin with an average Poisson's ratio of 0.284 (Figure 12). Again these areas were defined by intersections of crustal sections which exhibit high Poisson's ratios and the locations of the microearthquakes were ignored. To allow a more detailed interpretation, the hypocenters lying within each of the crustal wedges defining the anomalies are plotted in Figures 13, 14, and 15.

In Figure 13, the crustal wedges defining the southern

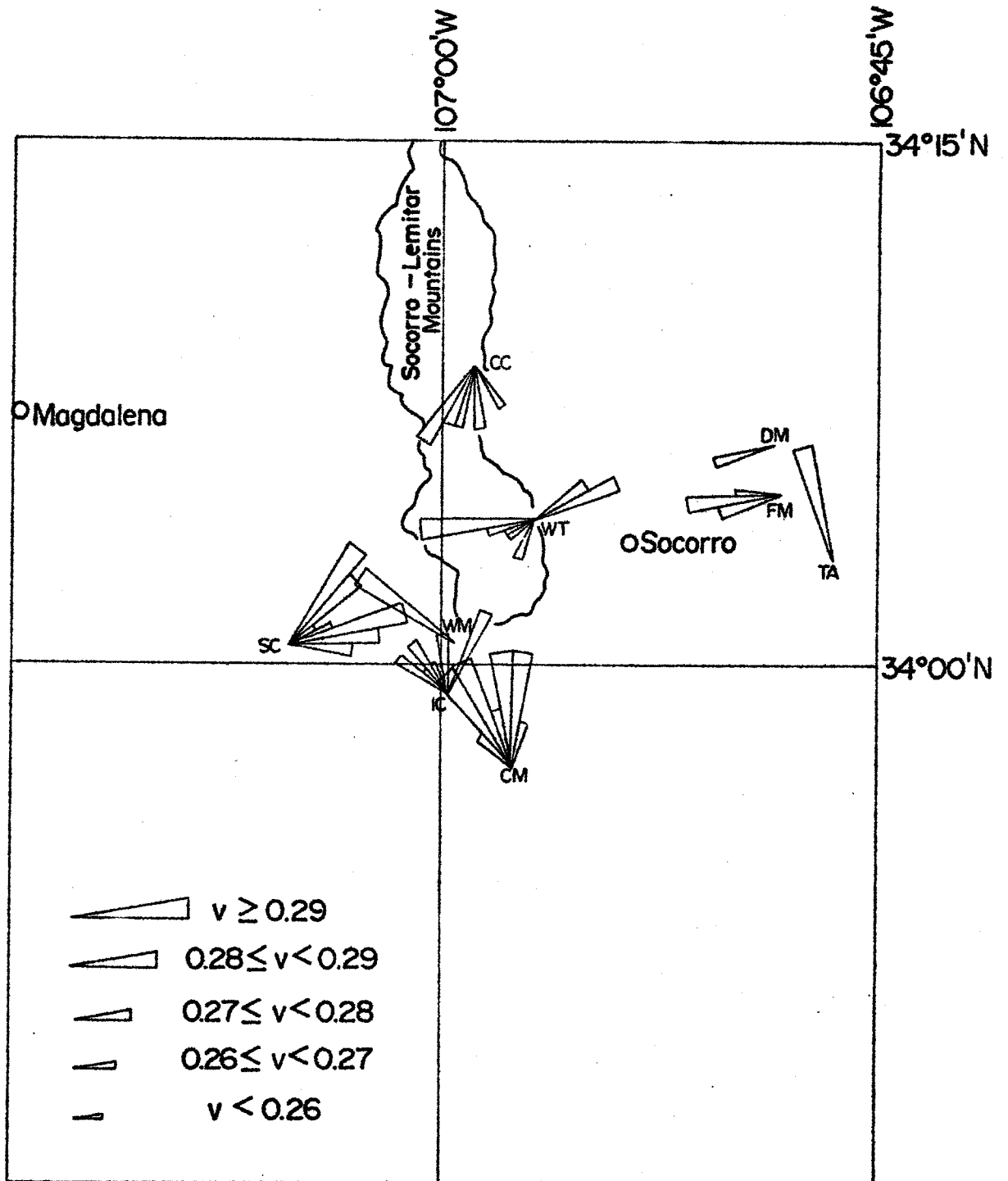


Figure 11. The spatial distribution of Poisson's ratio, in the Socorro region from iterative origin time data.

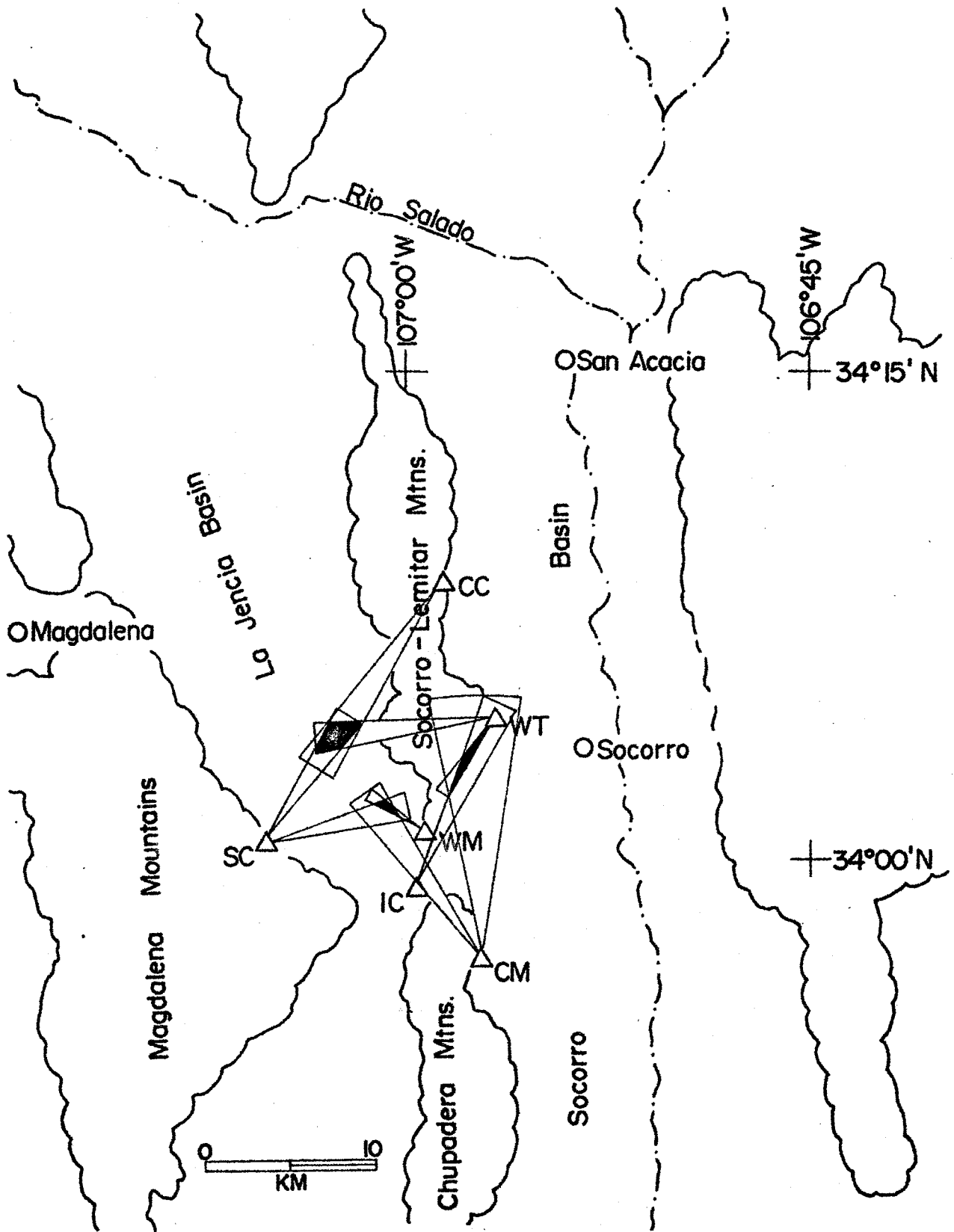
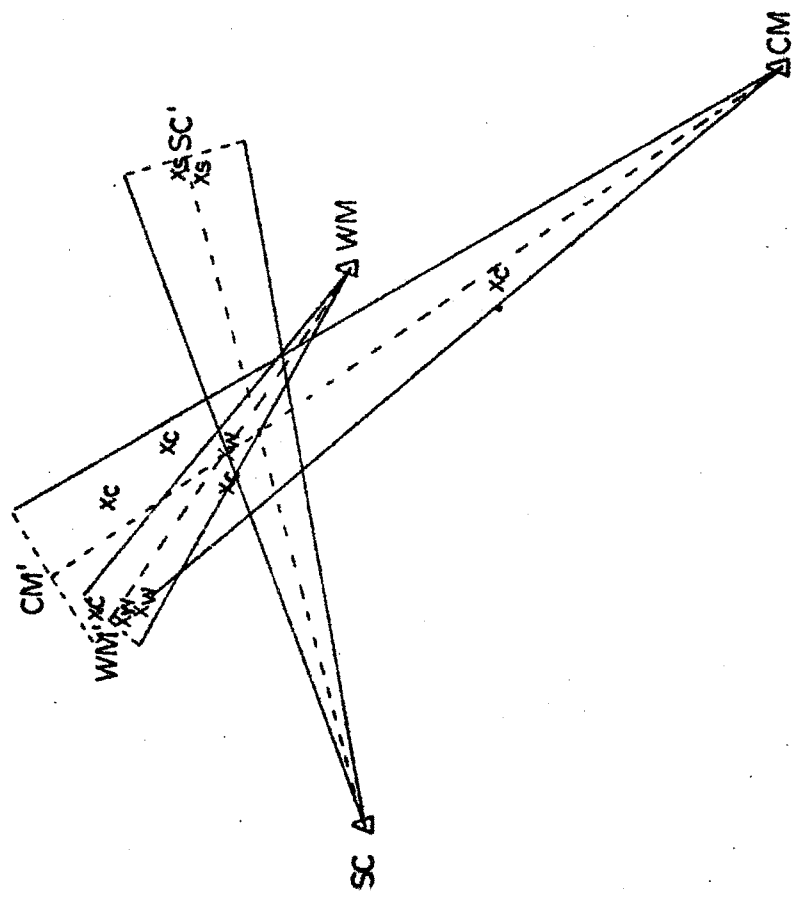
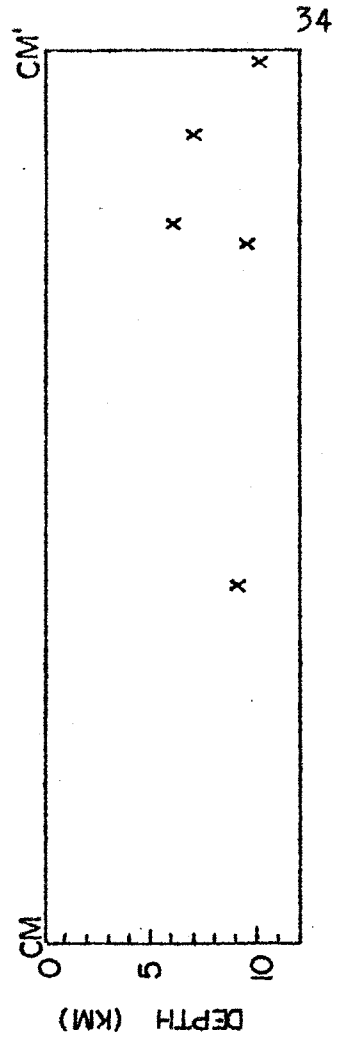
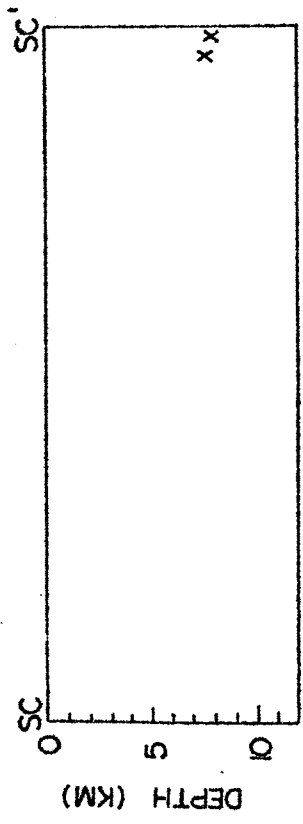
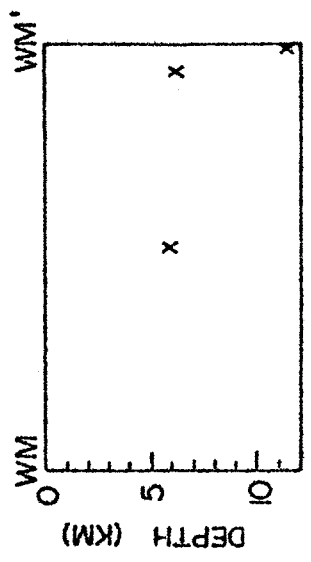


Figure 12. Three anomalous areas in the Socorro region defined by intersecting crustal wedges.



1KM

Figure 13. Locations of the hypocenters in the crustal wedges used to define the southern La Jencia Basin anomaly.

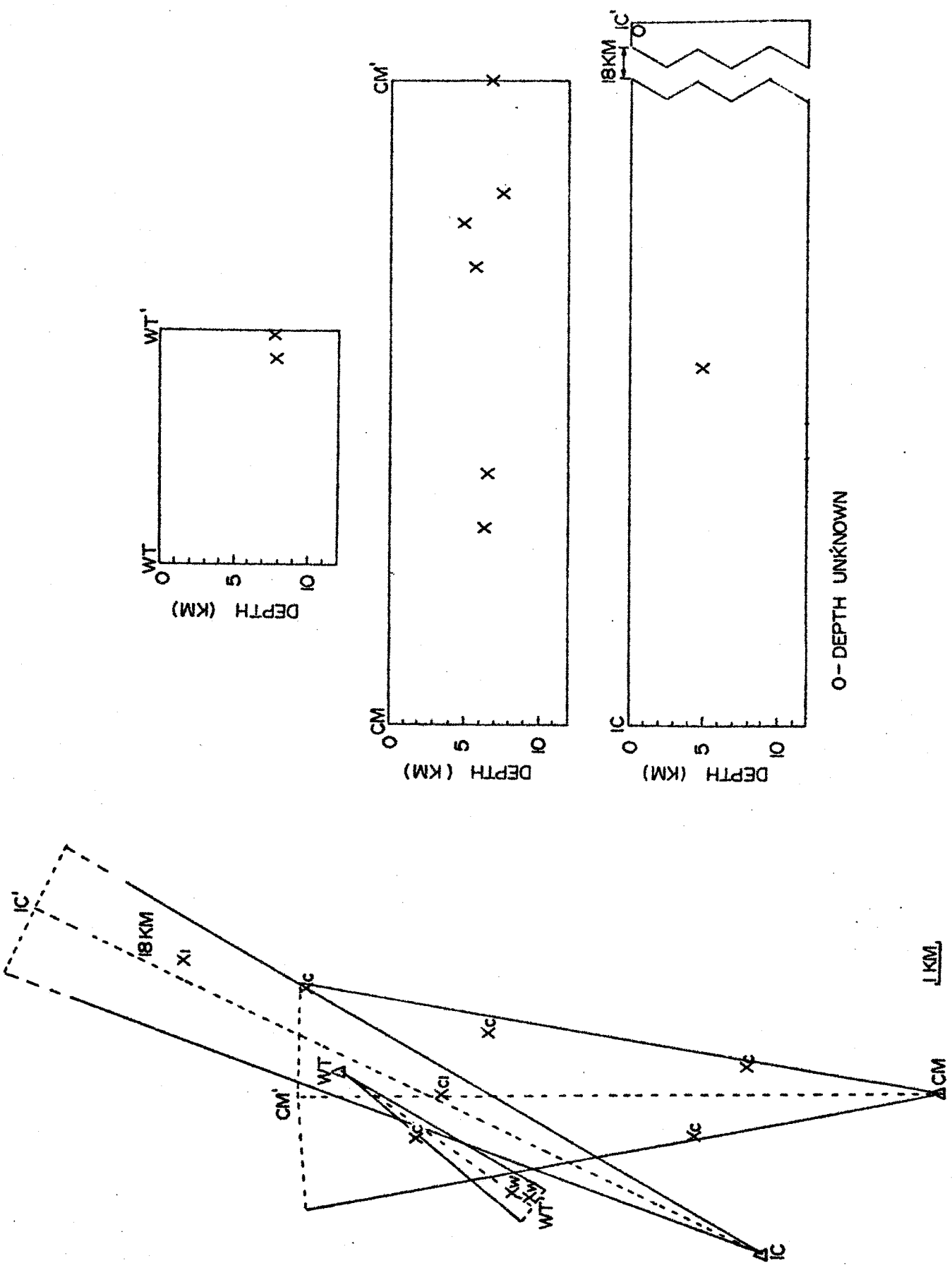
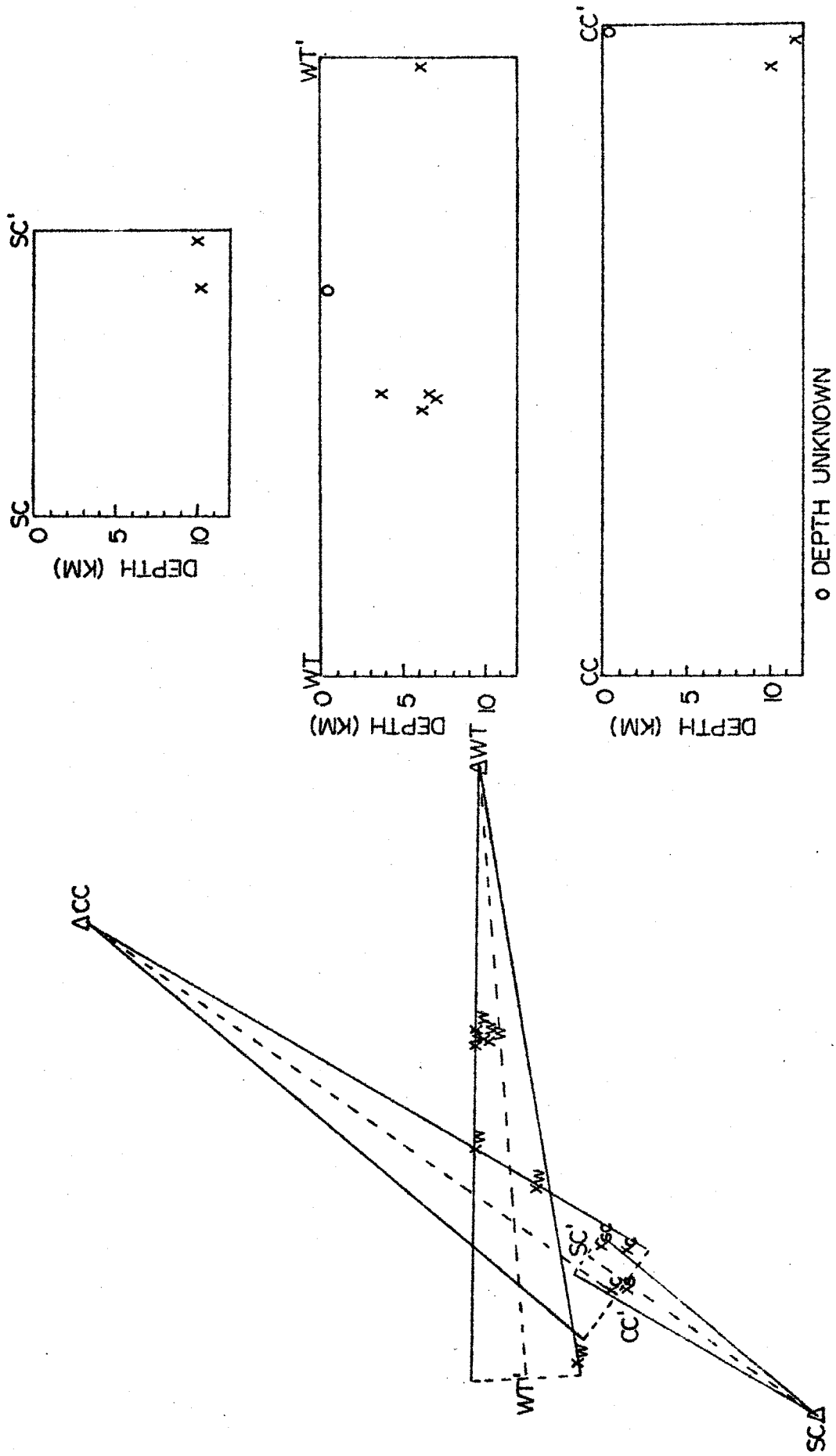


Figure 14. Locations of the hypocenters in the crustal wedges used to define the Socorro Mountain anomaly.



[KM]

Figure 15. Locations of the hypocenters in the crustal wedges used to define the central La Jencia Basin anomaly.

La Jencia Basin anomaly indicate that all but one of the raypaths from the earthquake foci traverse the proposed anomalous area. This observation strengthens the case for an anomalous body in the southern La Jencia Basin.

Figure 14 shows the intersecting crustal wedges which define an anomalous region beneath Socorro Mountain. Examination of the hypocenter locations in this figure indicates that an anomalous body is not defined by the intersections of the crustal segments. The hypocenters in the two increments northward from station CM which exhibit Poisson's ratios of 0.306 and 0.311 respectively, are all, except for one, south of the intersection area. A more likely location for an anomalous body would be an area south of Socorro Mountain and north of station CM. With the number of events in the two increments it is hard to say at this time exactly where the anomalous area exists, but Shuleski's (1976) S-wave screening anomaly near station CM would be consistent with the Poisson's ratio observations.

The last anomaly defined by intersecting crustal sections can be seen in Figure 15. Note that most of the microearthquakes in the defining increments are on the station side of the anomaly and the raypaths would not traverse it. This observation indicates little chance that an anomaly exists in central La Jencia Basin. One could propose several anomalous areas to explain the high observed Poisson's ratios, but the author believes this would be too speculative with the data set at hand.

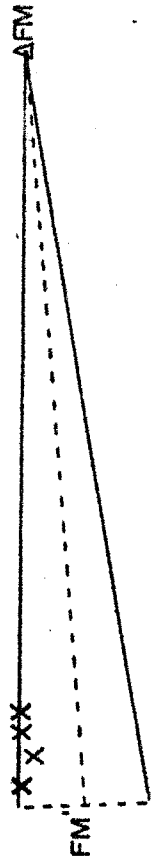
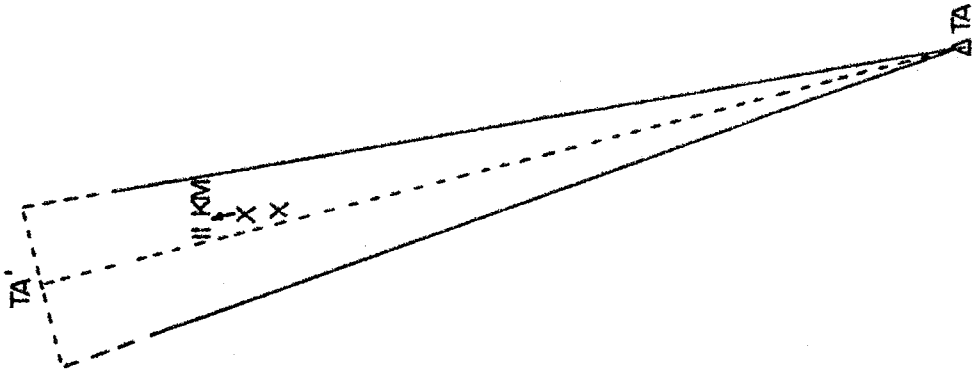


At this point the data is inadequate to isolate other anomalous regions, but Figures 16 through 18 are plots of those crustal sections (with hypocenters) in the Socorro area which exhibited significantly high Poisson's ratios (0.28). These individual increments could be used to compliment observations in any future study.

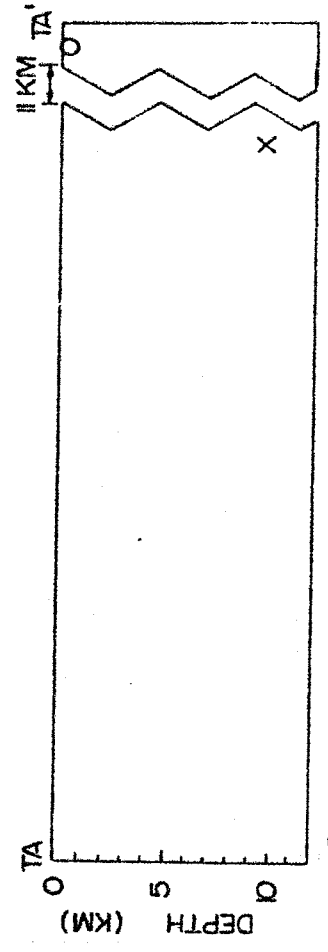
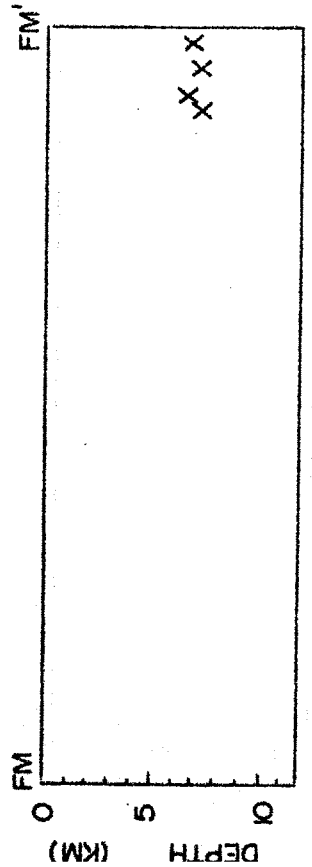
The second type of raypath computation undertaken for the Socorro area, as mentioned earlier, was based on the Wadati origin times. This phase of the study was undertaken because it was thought that the Wadati diagrams might give a better estimate of a microearthquake origin time than the iterative origin time. The iterative numerical location program was used to relocate the 50 events after constraining the origin times to the calculated Wadati origin times. The new locations and origin times are listed in Table 4. New travel times and azimuths were also calculated for the 50 events for use in the Socorro raypath analysis.

As can be seen from Figure 19, a Poisson's ratio of 0.26 used to calculate the Wadati origin times is reflected in the raypath analysis results using these origin times. The largest value of Poisson's ratio in any increment is 0.291 at WT (20-30). Other increments having significantly high values are: (1) WT (60-70) with a Poisson's ratio of 0.280 and (2) CM (320-330) with a Poisson's ratio of 0.288. From this analysis, only the southern La Jencia Basin anomaly can be supported.

To possibly indicate any general geographic trends



1 KM



O-DEPTH UNKNOWN

Figure 16. Locations of the hypocenters in the crustal wedges which exhibited significantly high Poisson's ratios (Station Fm, 260-270), (Station TA, 340-350).

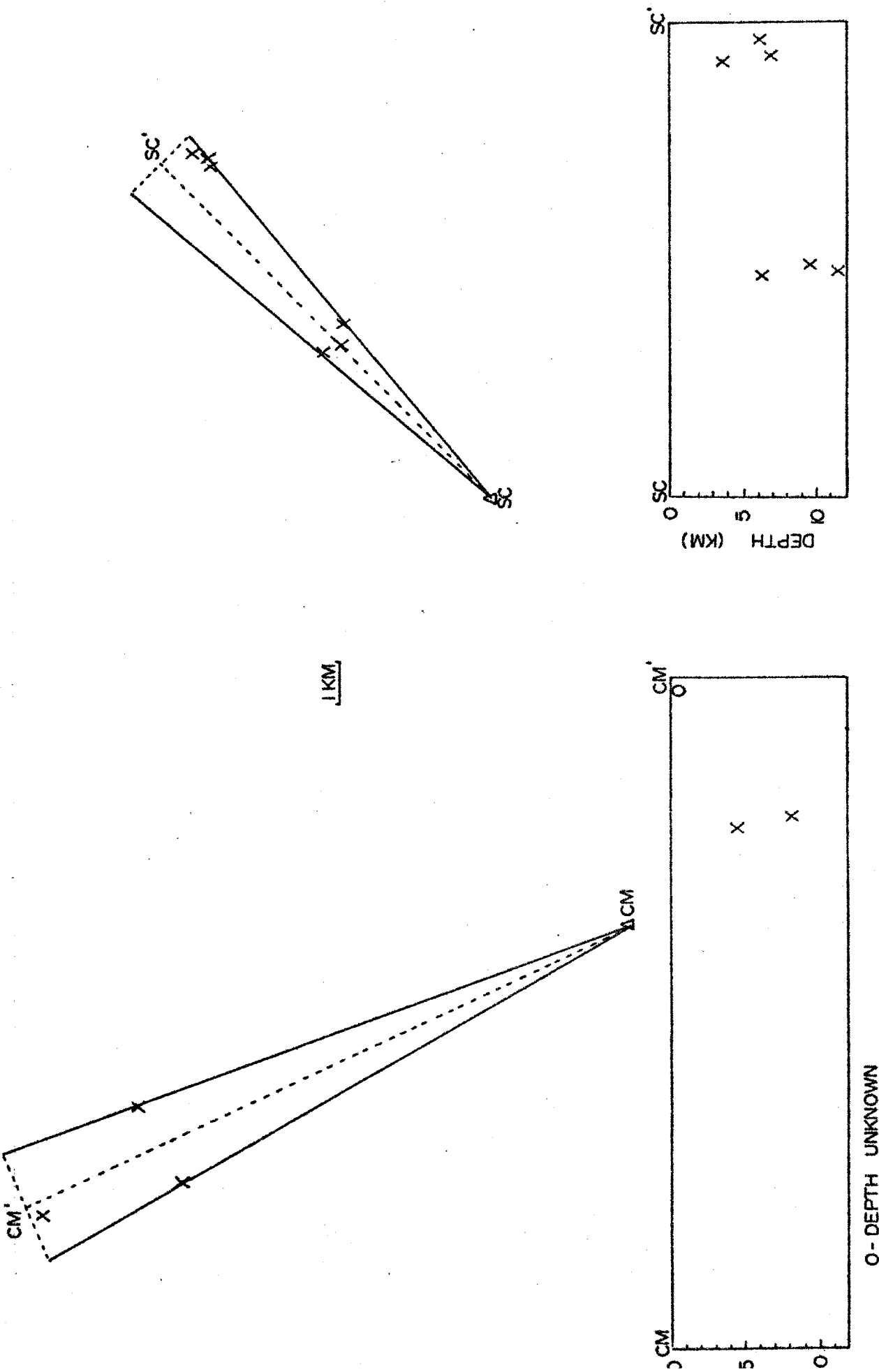
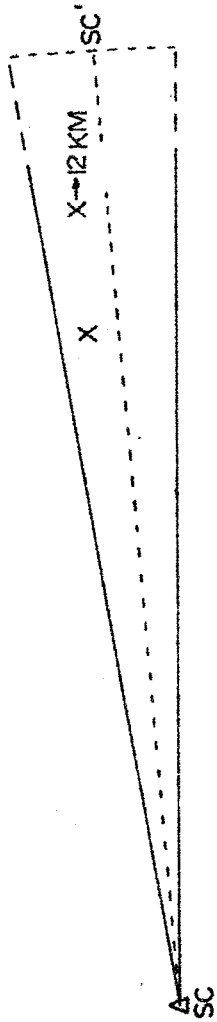
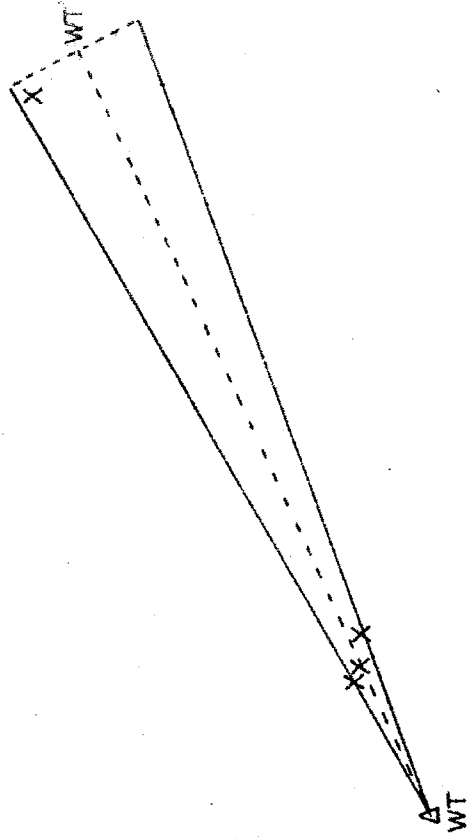


Figure 17. Locations of the hypocenters in the crustal wedges which exhibited significantly high Poisson's ratios (Station CM, 330-340), (Station SC, 40-50).



1 KM

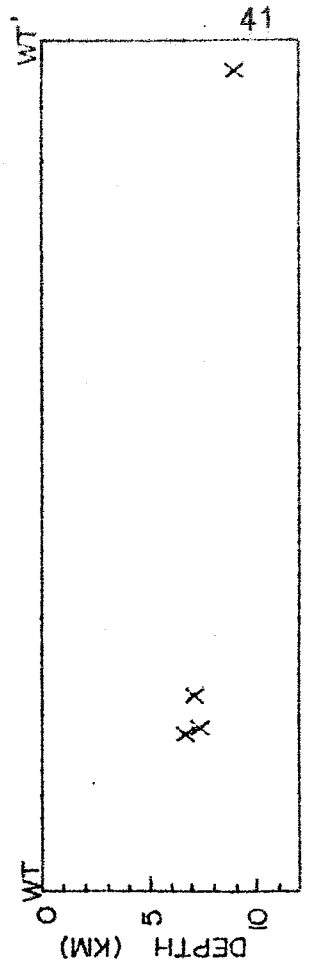
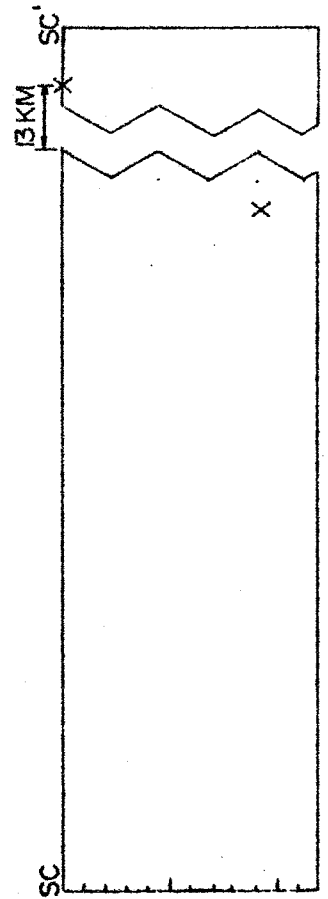


Figure 18. Locations of the hypocenters in the crustal wedges which exhibited significantly high Poisson's ratios (Station SC, 80-90), (Station WT, 60-70).

Table 4. Locations Obtained by Constraining the Origin Times to the Forced Wadati Origin Times.

<u>DATE</u>	<u>FORCED WADATI ORIGIN TIME</u>	<u>LATITUDE</u>	<u>LONGITUDE</u>	<u>DEPTH</u>
05-22-75	11:36:28.86	33.9356	106.9392	3.18
05-22-76	13:19:41.29	33.9392	106.9337	4.11
06-03-75	15:10:15.49	34.0294	107.0338	8.54
07-30-75	21:44:42.04	34.0860	106.9255	7.65
08-05-75	02:26:02.27	34.0336	106.9783	8.20
08-05-75	04:17:20.81	34.0371	106.9840	7.17
08-08-75	10:53:57.83	34.0843	106.9211	6.34
08-08-75	10:57:22.23	34.0856	106.9325	6.84
08-12-75	07:09:10.67	34.0347	106.7982	4.33
08-12-75	15:25:28.48	34.0504	106.9784	5.96
08-13-75	05:19:18.23	34.0816	106.9244	7.02
08-13-75	07:39:18.43	34.0839	106.9269	6.72
08-13-75	11:22:26.75	34.0228	106.9753	8.28
08-20-75	05:16:39.89	34.0821	106.9075	9.66
08-20-75	15:29:36.57	34.0856	106.9268	5.99
08-20-75	12:20:52.38	34.0815	106.9132	4.18
08-21-75	03:44:48.75	34.0413	107.0463	6.97
08-21-75	19:04:06.27	34.0575	106.9742	8.04
08-29-75	08:52:18.64	34.0771	106.9262	6.98
09-16-75	13:30:52.54	34.0818	106.9281	5.44
11-04-75	16:30:11.81	34.0490	107.0643	6.55
11-05-75	22:28:26.11	34.0439	107.0577	6.80
11-07-75	08:27:36.07	34.0452	107.0266	4.99
01-27-76	08:37:44.59	34.1238	106.8039	9.33
01-27-76	10:05:24.16	34.1492	106.8076	7.64
01-29-76	15:06:40.30	33.9914	106.9732	5.94
02-17-76	06:17:49.12	34.0442	107.0604	8.04
02-17-76	17:34:05.33	34.0516	107.0023	7.74
02-18-76	23:25:35.29	34.0401	107.0623	8.13
02-19-76	00:08:36.84	34.0272	107.0577	8.04
02-20-76	12:51:45.28	34.0287	107.0375	8.54
03-18-76	14:45:16.38	33.9813	106.7269	5.98
03-18-76	18:34:51.02	34.0403	107.0658	6.34
03-23-76	12:53:19.85	34.2946	106.8231	7.55
03-25-76	10:50:54.01	34.0561	106.9693	8.72
04-13-76	09:45:40.59	34.0729	107.0038	5.49
04-13-76	11:41:25.47	34.0440	107.0601	7.88
04-13-76	11:58:34.71	33.9908	106.9522	4.67
04-13-76	23:15:15.00	34.0327	107.0253	3.31
04-14-76	01:50:28.80	33.9887	106.9953	9.32
04-14-76	13:12:21.09	34.0705	107.0296	5.33
04-15-76	08:45:52.61	34.0695	107.0065	6.01
04-15-76	18:28:37.20	34.0566	106.9526	6.51
04-16-76	05:34:38.86	34.0400	107.0200	4.30
04-16-76	09:33:42.94	34.0670	107.0064	5.20
04-16-76	14:07:33.43	34.0688	107.0065	4.96
04-20-76	02:52:19.45	34.0407	107.0707	4.59
04-20-76	08:32:19.05	34.0948	106.8369	3.54
04-21-76	11:16:19.40	34.2928	106.8398	8.77
04-23-76	05:57:59.34	34.0384	107.0672	6.83

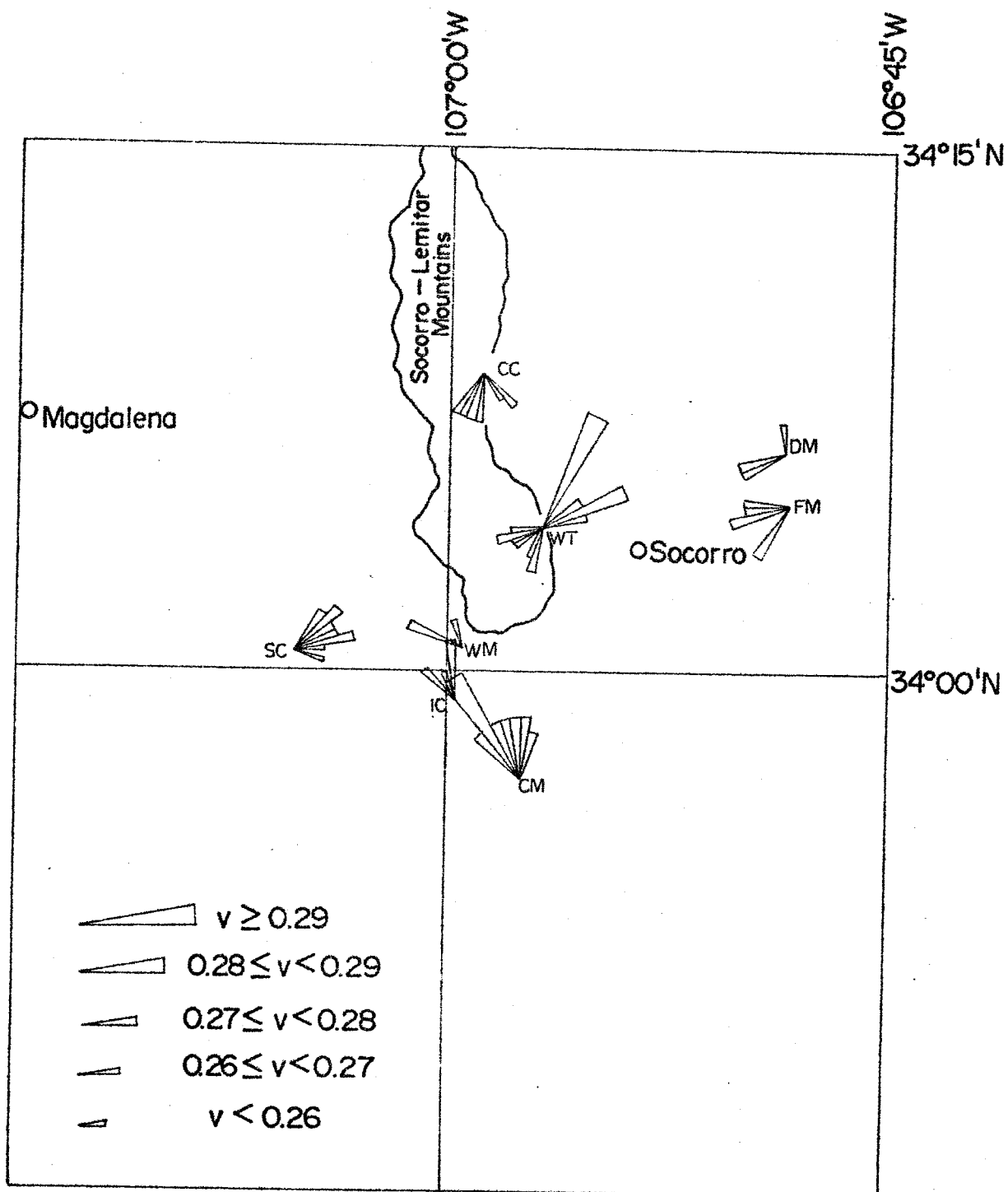


Figure 19. The spatial distribution of Poisson's ratio in the Socorro region from data with Wadati origin times.

of Poisson's ratio in the Socorro region, an average Poisson's ratio was found for each station. The method used to calculate each station's average involved taking a crustal segment's Poisson's ratio and multiplying that number by the number of data points in that increment so that a weighted average would be taken. The results using iterative origin time data are:

CM= 0.283  
 CC= 0.268  
 FM= 0.269  
 TA= 0.304 1 increment  
 IC= 0.263  
 WM= 0.258  
 DM= 0.267  
 SC= 0.270  
 WT= 0.267

Overall the averages are quite high. Stations CM and SC, which are near the two proposed anomalous areas, have the highest Poisson's ratios.

The average Poisson's ratio for each station using Wadati origin time data are:

TA= 0.244 1 increment  
 DM= 0.258  
 FM= 0.263  
 IC= 0.257  
 WM= 0.259  
 CC= 0.257  
 CM= 0.268  
 WT= 0.257  
 SC= 0.259

Using the Wadati origin times, the average Poisson's ratio for each station is very near the original 0.26 used to calculate the origin times.

#### Variations of Poisson's Ratio in the Raypath Technique

One should be aware that the results of the Socorro raypath analysis just discussed are subject to statistical

uncertainty. As can be seen in Appendix III, which lists the raypath results and associated 95 percent confidence intervals, the small number of data points in the crustal segments produces relatively large 95 percent confidence intervals on the slopes of the composite Wadati diagrams and thus on the Poisson's ratios. Other possible weaknesses in the Socorro raypath results could be reading errors and possibly errors in microearthquake origin times. However, the author believes that if one has confidence in the methods used to determine the origin times of the events in this study, the Socorro raypath results gives values of Poisson's ratio which are representative of the region.



### Discussion of the Factors Which Affect Poisson's Ratio

Four main factors influence Poisson's ratio: (1) fractures (fluid or gas-filled), (2) pressure, (3) temperature, and (4) composition. These factors will be described and related to the observed Poisson's ratio anomalies found in this study.

#### Fractures

Nur and Simmons (1969) measured velocities in dry as well as saturated samples of fractured rock. They assumed that the effective elastic constants are related to the velocities in the same way that these quantities are related in a linear elastic material. Thus the effective dynamic bulk modulus is

$$K = \rho (V_p^2 - 4/3 V_s^2),$$

and the effective dynamic shear modulus is

$$\mu = \rho V_s^2.$$

Poisson's ratio obtained for both the dry and saturated cases is

$$\gamma = ((V_p/V_s)^2 / 2((V_p/V_s)^2 - 1)),$$

where

- $V_p$  = P-wave velocity,
- $V_s$  = S-wave velocity,
- $\rho$  = Density of sample.

The values in Table 5 emphasize the observation that fluid saturation greatly influences the effective bulk modulus of the fractured rock while the shear modulus remains essentially unchanged (Figure 20). Also from

Table 5. Effective Elastic Constants for Dry and Water Saturated Rocks (Nur and Simmons, 1969).

Pressure (bars)	$\mu$ (dry) mb	$\mu$ (sat.) mb	$K$ (dry) mb	$K$ (sat.) mb	$E$ (dry) mb	$E$ (sat.) mb	$\nu$ (dry)	$\nu$ (sat.)
Casco granite								
0	0.139	0.132	0.050	0.570	0.250	0.400	-0.100	0.374
50	0.201	0.176	0.250	0.635	0.430	0.550	0.230	0.356
100	0.236	0.204	0.397	0.637	0.523	0.531	0.240	0.335
200	0.262	0.259	0.492	0.641	0.654	0.692	0.278	0.320
400	0.291	0.311	0.560	0.643	0.790	0.760	0.265	0.304
700	0.318	0.340	0.589	0.665	0.856	0.823	0.258	0.294
1000	0.340	0.352	0.627	0.649	0.889	0.869	0.264	0.277
2000	0.358	0.365	0.639	0.647	0.921	0.906	0.260	0.266
3000	0.365	0.371	0.642	0.650	0.934	0.923	0.258	0.263
Westerly granite								
0	0.208	0.239	0.106	0.478	0.377	0.614	-0.094	0.286
50	0.243	0.251	0.225	0.502	0.515	0.638	0.130	0.285
100	0.250	0.255	0.324	0.522	0.596	0.657	0.194	0.290
200	0.266	0.263	0.392	0.532	0.651	0.577	0.223	0.288
400	0.285	0.276	0.436	0.554	0.702	0.711	0.232	0.286
700	0.297	0.290	0.474	0.570	0.758	0.745	0.240	0.282
1000	0.306	0.297	0.500	0.577	0.761	0.761	0.246	0.280
2000	0.321	0.314	0.545	0.578	0.805	0.797	0.254	0.276
3000	0.328	0.319	0.558	0.583	0.824	0.810	0.254	0.269
Triy granite								
0	0.236	0.234	0.180	0.520	0.520	0.617	0.065	0.310
50	0.276	0.276	0.475	0.652	0.694	0.726	0.257	0.315
100	0.293	0.293	0.532	0.633	0.741	0.760	0.268	0.300
200	0.309	0.309	0.592	0.647	0.791	0.801	0.277	0.294
400	0.326	0.326	0.626	0.640	0.832	0.835	0.278	0.283
700	0.335	0.335	0.644	0.652	0.856	0.858	0.279	0.281
1000	0.338	0.338	0.647	0.667	0.865	0.869	0.277	0.283
Webatuck dolomite								
0	0.384	0.378	0.280	0.740	0.950	0.850	0.030	0.275
50	0.404	0.399	0.461	0.740	1.011	0.937	0.161	0.265
100	0.423	0.421	0.611	0.739	1.061	1.032	0.219	0.260
200	0.452	0.443	0.681	0.739	1.109	1.109	0.229	0.250
400	0.472	0.475	0.725	0.729	1.171	1.164	0.232	0.232
700	0.481	0.495	0.732	0.730	1.211	1.184	0.230	0.223
1000	0.489	0.508	0.738	0.731	1.220	1.160	0.229	0.226
2000	0.497	0.520	0.743	0.731	1.261	1.219	0.226	0.215
3000	0.505	0.528	0.745	0.739	1.279	1.235	0.244	0.211
Bedford limestone								
0	0.605	0.062	0.105	0.470	0.161	0.184	0.247	0.435
50	0.072	0.072	0.120	0.468	0.182	0.207	0.249	0.427
100	0.080	0.081	0.135	0.466	0.201	0.230	0.251	0.418
200	0.096	0.099	0.166	0.462	0.242	0.276	0.257	0.400
400	0.120	0.120	0.213	0.449	0.303	0.330	0.263	0.377
700	0.140	0.136	0.254	0.436	0.355	0.370	0.265	0.360
1000	0.159	0.151	0.290	0.428	0.404	0.405	0.268	0.342
2000	0.188	0.178	0.360	0.407	0.481	0.467	0.277	0.309
Solenhofen limestone								
0	0.240	0.238	0.516	0.526	0.624	0.621	0.298	0.303
50	0.242	0.241	0.517	0.526	0.627	0.627	0.298	0.301
100	0.250	0.251	0.517	0.533	0.645	0.651	0.291	0.296
500	0.256	0.256	0.630	0.548	0.662	0.665	0.292	0.298
1500	0.260	0.260	0.535	0.552	0.672	0.673	0.290	0.297

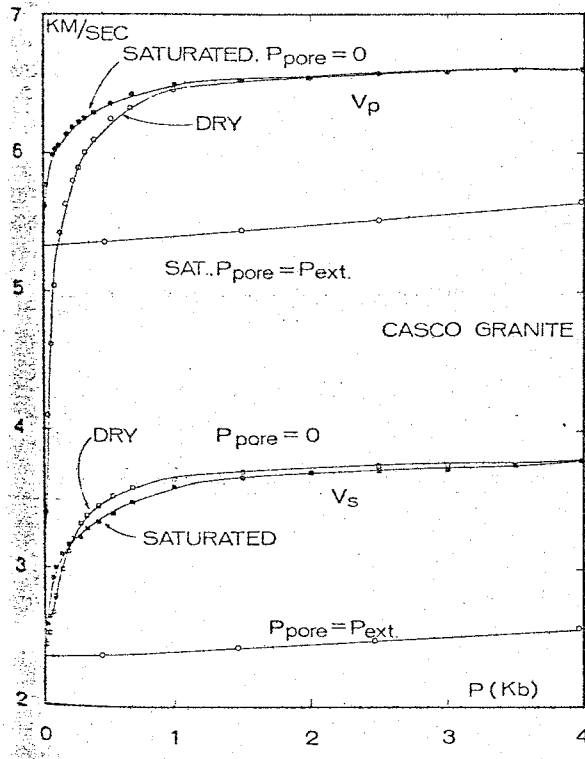


Figure 20. Velocity of elastic waves in Casco granite as a function of pressure. The compressional wave velocity depends significantly on the degree of saturation but shear wave velocity is almost independent (Nur and Simmons, 1969).

Table 5, note that dry fractured rocks exhibit very small, even negative values of Poisson's ratio, while saturated rocks exhibit much higher values.

The Poisson's ratios obtained at various pressures in Table 5 are interesting, but the effect of temperature and pressure on Poisson's ratio will be discussed later in this section.

The Socorro area is a highly fractured region due to its location in the Rio Grande Rift. The interaction of these fractures with ground water might play an important part in the spatial changes in Poisson's ratio in the Socorro area. Hall (1963) located and studied many springs in the Socorro area (Figure 21). Two warm (90-91°F) springs, Sedillo and Socorro, are of particular interest because they have flows in excess of 200gpm, lie on definite fault zones, and discharge water which has traveled through the proposed anomalous area in the southern La Jencia Basin. From the evidence of Nur and Simmons (1969), one could propose this Poisson's ratio anomaly to be caused by water-filled fractures. However, the author does not believe the anomaly to be water-related for the following reasons: (1) the Poisson's ratio anomaly in the southern La Jencia Basin is confined to a relatively small area ( $\sim 2-3 \text{ km}^2$ ), rather than extending along the path of the water from recharge areas to the discharge area at the springs, (2) ground water occurs in all of the Socorro region, as can be seen in Figure 21, yet, Poisson's ratio anomalies are quite

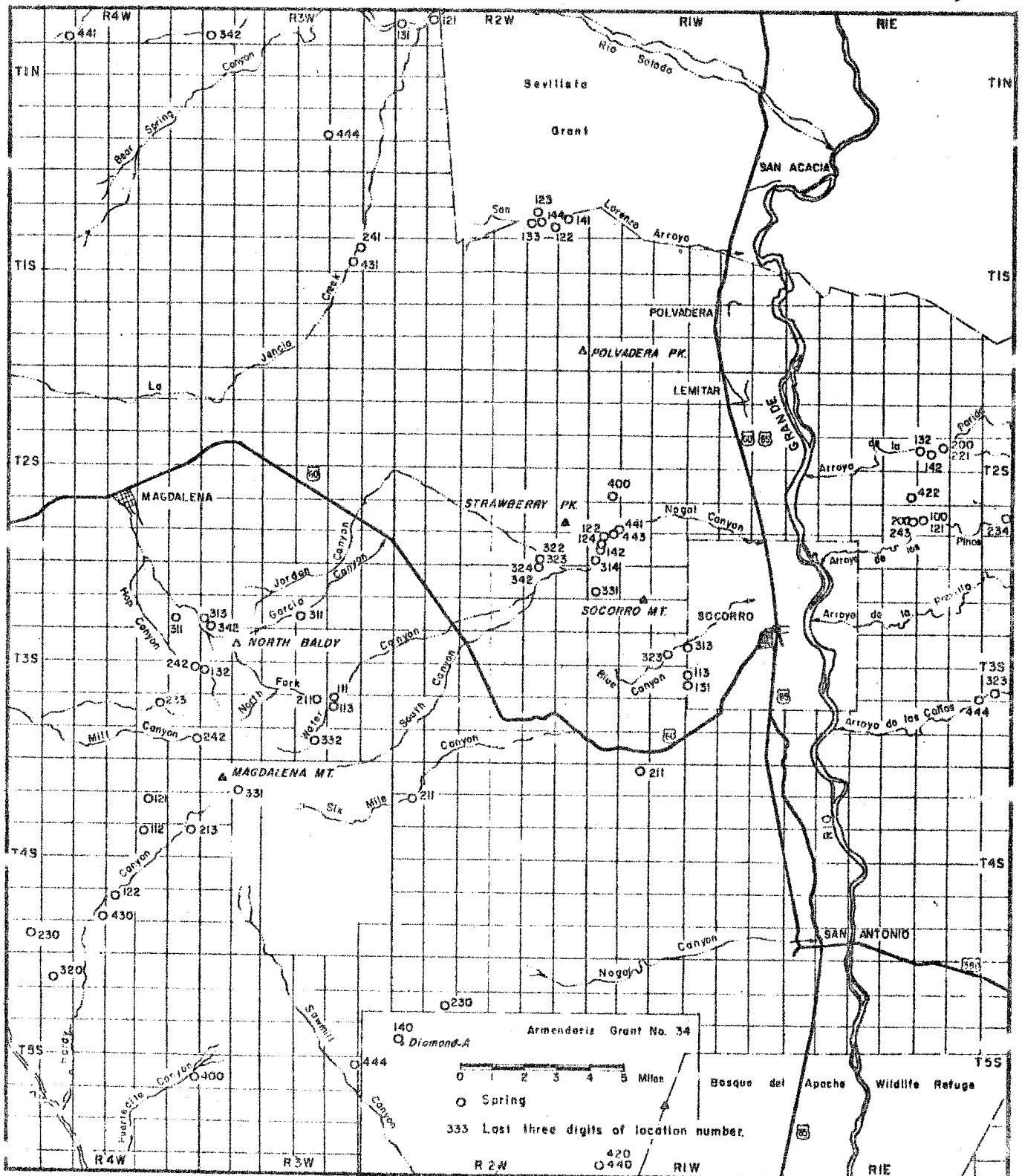


Figure 21. Springs in the Socorro region, New Mexico, (Hall, 1963).

restricted in areal extent, and (3) the travel time from recharge to discharge area ( $\sim 16-17$  km) was measured to be about four years, which indicates very fast water movement ( $\sim 11$  meters/day) (Holmes, 1963). If the travel time of the water is accurate and the recharge area correctly located, the water must travel at shallow depths ( $\leq 2$  km). Thus, the percentage of the raypaths, considering the depths of the events (4-9 km), which travels through ground water-filled cracks would be too small to induce the high observed Poisson's ratios.

#### Pressure-Temperature

Pressure and temperature will be discussed together because some investigators, Crosson and Christiansen (1967) and Fagerne and Kanestrom (1973), believe that Poisson's ratio is independent of pressure and temperature.

Pressure-temperature data from two papers by Hughes and Maurette (1956, 1957) are presented in Tables 6 and 7. Their pressure-temperature studies on granites and other igneous rocks corresponded to pressures up to about 7 kb and temperatures to 400°C. For rocks of the same composition in Tables 6 and 7, the effects of temperature and pressure are only slight. Increases in pressure and temperature seem to offset one another because little or no correlation between Poisson's ratio and depth is apparent. One cannot be sure, however, that the laboratory can truly duplicate the conditions in the earth.

#### Composition

The data of Hughes and Maurette (1957) listed in Table

Table 6. Pressure-Temperature Data on Granites (Hughes and Maurette, 1956).

Depth (km)		1	2	5	10	15
Temperature (°C.)		45	70	135	225	290
Pressure (bars)		260	520	1,300	2,600	3,900
Texas Gray	$V_D$	5.90	6.00	6.02	6.02	6.01
	$V_R$	3.45	3.55	3.57	3.57	3.57
	$\sigma$	.240	.231	.229	.229	.227
Texas Pink	$V_D$	6.08	6.24	6.32	6.30	6.27
	$V_R$	3.29	3.32	3.32	3.32	
	$\sigma$	.293	.303	.309	.308	
Woodbury	$V_D$	5.90	6.05	6.15	6.14	6.04
	$V_R$	3.34	3.43	3.54	3.61	
	$\sigma$	.264	.263	.252	.236	

Table 7. Pressure-Temperature Data on Selected Igneous Rocks (Hughes and Maurette, 1957).

Depth (km)		1	2	5	10	15	20	25
Temperature °C.		45	70	135	225	290	350	400
Pressure (bars)		260	520	1,300	2,600	3,900	5,300	6,700
San Marcos Gabbro	$V_D$	6.70	6.79	6.90	6.96	6.95	6.87	6.80
	$V_R$	3.47	3.49	3.51	3.52	3.51	3.47	3.44
	$\sigma$	.317	.320	.325	.328	.329	.329	.328
Bytownite Gabbro	$V_D$	6.50	6.56	6.60	6.57	6.53		
	$V_R$	3.41	3.42	3.42	3.44	3.43		
	$\sigma$	.310	.313	.316	.311	.309		
Hornblende Gabbro	$V_D$	6.60	6.65	6.71	6.74	6.75		
	$V_R$	3.57	3.60	3.64	3.69	3.68		
	$\sigma$	.293	.293	.291	.286	.289		
Analcime	$V_D$	5.41	5.45	5.51	5.59	5.62		
	$V_R$	3.05	3.06	3.07	3.07	3.05		
	$\sigma$	.267	.270	.275	.284	.291		
Basalt	$V_D$	5.44	5.58	5.68	5.74	5.79		
	$V_R$	3.21	3.21	3.22	3.23	3.23		
	$\sigma$	.233	.253	.263	.269	.274		
Dunite	$V_D$	7.35	7.46	7.50	7.22			
	$V_R$	3.77	3.85	3.90	3.68			
	$\sigma$	.321	.319	.315	.324			

7 shows that Poisson's ratio is dependent on composition. Note again that for most of the igneous rocks, Poisson's ratio changes only slightly with increase in pressure and temperature to maximums of 7 kb and 300°C.

The San Marcos Gabbro and Dunite in Table 7 have a Poisson's ratio of 0.32. If rocks, whose physical properties corresponded closely to the aforementioned rocks, were located in the local Socorro area, one might expect a higher than normal Poisson's ratio along some increments of the microearthquake raypaths. The composition of Precambrian rocks most likely to underlie the Socorro region are given in Table 8. These rocks are not similar in composition to the San Marcos Gabbro and Dunite in Table 7. For comparison purposes, velocities and Poisson's ratios for the Socorro Precambrian rocks were determined in two ways: (1) from the bulk velocities of these rocks (Clark, 1966) and (2) from the velocities of the individual mineral constituents (Table 9). The results are shown in Table 8. As can be seen from the table, the most likely Precambrian rocks in the Socorro area could not produce the Poisson's ratio anomalies found from the raypath technique. One could argue that some unknown volume of gabbro lies beneath Socorro, but to produce the observed anomalies, the raypaths would have to travel through predominantly gabbro, which geologically, is not realistic in the Socorro area (Budding, 1976).



Table 8. Physical Parameters of the Precambrian Rocks near Socorro, N.M.

<u>ROCK</u>	<u>LOCATION</u>	<u>DENSITY</u>	<u>PRESSURE</u>	POISSON'S *			REF.
				<u>V<sub>p</sub></u> km/sec	<u>V<sub>s</sub></u> km/sec	<u>RATIO</u>	
QTZ.MONZ.	PORTERVILLE, CA.	2.664	1kb	5.95	3.63	.204	1
HORNBLLENDE GABBRO	ESCONDIDO, CA.	-	.2kb	6.60	3.56	.295	1
QTZ.MONZ.	EAST OF RIO GRANDE, SOCORRO, N.M.	2.66	ATMOS.	6.03	3.57	.231	2,3
QTZ.MONZ.	OSCURA MTS., N.M.	2.67	ATMOS.	6.05	3.57	.233	2,3
GRANITE- GNEISSES	LA JOYITA HILLS N.M.	2.67	ATMOS.	5.98	3.53	.233	2,3
QTZ.MONZ.	LADRON MTS., N.M.	2.64	ATMOS.	6.09	3.53	.246	2,3
HORNBLLENDE GABBRO	MAGDALENA MTS., N.M.	-	ATMOS.	6.81	3.67	.295	2,3

\*Numbers in this column are for the references listed below:

- 1 GSA Memoir 97, ed. Clark (1966)
- 2 Budding (1976)
- 3 Christiansen and Fountain (1975)

Table 9. Mineral Percentages in the Precambrian Rocks near Socorro, N.M.,  
(Budding, 1976).

<u>ROCK</u>	<u>LOCATION</u>	<u>QTZ</u>	<u>MICROCLINE</u>	<u>PLAG.AN</u> <sub>25</sub>	<u>PLAG.AN</u> <sub>40</sub>	<u>BIOT.</u>	<u>MUSC.</u>	<u>MAGNET.</u>	<u>HORN.</u>
QTZ. MONZ.	EAST OF RIO GRANDE SOCORRO, N.M.	32	34	25	0	4	4	1	0
QTZ. MONZ.	OSCURA MTS., N.M.	31	31	30	0	5	2	1	0
GRAN. GNEIS.	LA JOYITA MTS.N.M.	30	45	13	0	10	1	1	0
QTZ. MONZ.	LADRON MTS.N.M.	23	45	30	0	1	0	1	0
HORN. GAB- PRO	MAGDA- LENA, MTS. N.M.	0	0	0	50	0	0	0	50

### Change of Vs in the Socorro Area

Assuming that Poisson's ratio is 0.26 in the Socorro area, then the corresponding Vp/Vs ratio is 1.756. This velocity ratio is interesting if one considers the results obtained by Kiet Sakdejyont (1974). He found the Vp/Vs ratio to be 1.664 for the area between Socorro and Albuquerque. It should be noted that his velocity ratio is more dependent on the properties of the crust north of Bernardo to Albuquerque than the properties of the crust south of Bernardo to Socorro. Assuming a Vp of 5.8 km/sec for the Socorro area as well as the area north to Albuquerque, then a drop in Vs is indicated from a 3.49 km/sec in the rift to a 3.30 km/sec in the Socorro region or about a 5 percent reduction.

Several arguments can be made to explain the increase in Poisson's ratio and/or decrease in Vs in the Socorro area. First, the assumption that the Vp is the same in the Socorro area and north to Albuquerque may be incorrect. There are, however, several measurements which substantiate a Vp of 5.8 km/sec in both regions. Topozada (1974) and Topozada and Sanford (1976) have found good evidence for a Vp of 5.8 km/sec between Socorro and Albuquerque as well as the local Socorro area.

Another argument is that the geothermal gradient in the Socorro region is much greater than other areas in the

Rio Grande Rift. Heat flow measured in the Socorro region is significantly higher than other areas of the rift (Sanford and Reiter, paper in preparation). The increased temperatures affect the shear modulus much more than the bulk modulus, so that a decrease in  $V_s$  might be expected (Walsh, 1969). If the higher geothermal gradient truly exists, one might expect a partial or full melt in areas where effective pressure is small and water is abundant.

### The Change in $V_p$ , $V_s$ , and $\nu$ with a Changing Shear Modulus

J.B. Walsh in a 1969 publication concluded that a rather large decrease in rigidity can be expected in partially melted regions, but with only a small decrease in the bulk modulus. Using the following equations:

$$K = \text{Bulk Modulus} = \rho(V_p^2 - 4/3V_s^2)$$

$$\mu = \text{Shear Modulus} = \rho V_s^2$$

$$\rho = \text{Density, assumed } 2.67 \text{ g/cc}$$

$$\nu = \text{Poisson's ratio} = ((V_p/V_s)^2 - 2) / 2((V_p/V_s)^2 - 1)$$

$$V_p = \text{P-wave velocity}$$

$$V_s = \text{S-wave velocity}$$

and Walsh's conclusion that the bulk modulus is little affected, one can calculate the changes in  $V_p$ ,  $V_s$ , and with a change in the shear modulus (Table 10).

The analysis indicates that decreases in the shear modulus will reduce  $V_s$  by a factor of two over  $V_p$ . Also, by reducing the shear modulus for the Socorro region by 36 percent, a 29 percent increase in Poisson's ratio occurs. So, moderate changes in the shear modulus produces relatively large changes in Poisson's ratio. These results can be supported by a Spetzler and Anderson (1968) publication which showed that a sudden increase in attenuation and a decrease in  $V_s$  will occur when melting begins even though the melt concentration may be minute.

Attenuation and S-wave screening, observations characteristic of a reduced shear modulus, have been noted

Table 10. The Changes in  $V_p$ ,  $V_s$ , and  $K$  with a Changing Shear Modulus.

$\mu$ X10 <sup>11</sup> cgs	%Change from initial value	$V_p$ km/sec	%Change from initial value	$V_s$ km/sec	%Change from initial value	$\rho$	%Change from initial value	$K$ X10 <sup>11</sup> cgs
2.908	0	5.80	0	3.30	0	.261	0	5.105
2.624	9.8	5.68	2.1	3.14	5	.281	7.1	5.105
2.355	19.0	5.56	4.1	2.97	10	.300	14.9	5.105
2.101	27.8	5.44	6.2	2.81	15	.319	22.2	5.105
1.861	36.0	5.33	8.1	2.64	20	.337	29.1	5.105
1.000	65.6	4.91	15.3	1.94	41.4	.408	56.3	5.105

and studied in the Socorro region (Shuleski, 1976). These observations support the most important conclusion of this study, that the Poisson's ratio anomalies defined earlier by the raypath technique can be explained by one or more shallow partial melts.

### Geothermal Potential

The geothermal potential of the Socorro area has been downgraded by some. It is argued that the thermal springs are only warm (90-91°F) and could be heated by some other means than a recent intrusive. In considering this argument, let's discuss the two types of known geothermal fields: (1) the thermal area which yields dry or slightly superheated steam and (2) the thermal area which produces saturated steam and hot water. The principal factors which give rise to these two types of geothermal fields are: (1) the initial heat content of the thermal fluid, which is determined by the temperature of the heat source and (2) the amount by which the thermal fluid is diluted by cold ground water. This second factor is controlled principally by the structure and permeability of the rocks overlying the heat source. Assuming an intrusive is located in a structural depression, like the La Jencia Basin, the ascending thermal fluid will mix with the cold ground water. The above conditions would probably result in a thermal area which yields only warm water. This might explain the warm temperatures of the Socorro Spring. Therefore, the presence of warm instead of hot springs may not necessarily reflect the true geothermal potential of the region.

Of the many factors that affect the geothermal



resource estimates for the Socorro area, four are of significance: (1) reservoir volume, (2) recoverability, (3) temperature, and (4) technology and economics of use. It is unfortunate that the study of Poisson's ratio cannot be used to study any of these factors at this time. The above factors must be investigated by refined geophysical techniques or by some deep drilling in a suspected thermal area. But one area in the investigation of geothermal resources in which the study of Poisson's ratio might be useful is indicating those areas which could have magma present.

### Acknowledgements

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## Appendix II

Wadati Origin Time 95 Percent Confidence Intervals

Using linear regression you assume that:  $Y = a + bx_0$  is distributed  $\sim N(0, \sigma^2)$  for the point of intercept with the x-axis. If we know  $\sigma^2$ , which we don't, then it would be a simple matter to calculate a confidence interval for  $x_0$ .

Since we don't know the true mean or variance, we have to resort to what is known as the "t" statistic. The "t" statistic is written as a ratio

$$t = \frac{\mu}{\sqrt{Y}}$$

where

$\mu$  = standard  $N(0,1)$  random variable,  
 $v^2$  = a "x<sup>2</sup>" random variable,  
 $v$  = degrees of freedom of  $v$ .

It can be shown that for sampling from a normal distribution that the quantity

$$t = \frac{\sqrt{N}(\bar{x} - \mu_0) \sqrt{N-1}}{\sqrt{\sum (x_i - \bar{x})^2}} \quad \text{is such a ratio.}$$

This can then be used to make statements concerning  $\mu_0$ , the true mean. In our case from regression theory, we know that  $a + bx_0 \sim N(0, \sigma_y^2)$

where  $\sigma_y^2 = \sigma^2 \left[ \frac{1}{N} + \frac{(x_0 - \bar{x})^2}{S_{xx}} \right]$

$$S_{xx} = \sum (x_i - \bar{x})^2$$

Specifically, this tells us that

$$\frac{a + bx_0}{\sqrt{\sigma^2 \left[ \frac{1}{N} + \frac{(x_0 - \bar{x})^2}{S_{xx}} \right]}}$$

is a standard  $N(0,1)$  random variable.

Regression theory also states that

$$(N-2) \frac{\hat{\sigma}^2}{\sigma^2} \text{ is a "x}^2\text{" random variable}$$

with  $N-2$  degrees of freedom. Hence, we form the "t" random variable by

$$"t" = \frac{a+bx_0}{\sigma \left[ \frac{1}{N} + \frac{(x_0 - \bar{x})^2}{S_{xx}} \right]^{1/2}} \frac{\sqrt{N-2} \hat{\sigma}}{\sigma \sqrt{N-2}}$$

$$"t" = \frac{a+bx_0}{S \left[ \frac{1}{N} + \frac{(x_0 - \bar{x})^2}{S_{xx}} \right]^{1/2}}$$

where

$$S^2 = \hat{\sigma}^2 = \frac{1}{N-2} \left[ \sum (Y_i - \bar{Y})^2 - \frac{(\sum (X_i - \bar{X})(Y_i - \bar{Y}))^2}{\sum (X_i - \bar{X})^2} \right]$$

The value of this is that we know what the "t" distribution is so we can make confidence statements concerning  $x_0$ .

Hence,

$$(a+bx_0)^2 \leq t^2_{\alpha/2} S^2 \left[ \frac{1}{N} + \frac{(x_0 - \bar{x})^2}{S_{xx}} \right] \text{ with}$$

probability  $1-\alpha$ . So,

$$a^2 + 2abx_0 + b^2 x_0^2 \leq t^2_{\alpha/2} S^2 \left[ \frac{1}{N} + \frac{x_0^2 - 2\bar{x}x_0 + \bar{x}^2}{S_{xx}} \right] \text{ with}$$

probability  $1-\alpha$ . Also,  $[b^2 - \frac{t^2_{\alpha/2} S^2}{S_{xx}}] x_0^2 + 2[a + \frac{t^2_{\alpha/2} \bar{x} S^2}{S_{xx}}] x_0 + [a^2 + t^2_{\alpha/2} S^2 (\frac{1}{N} + \frac{\bar{x}^2}{S_{xx}})] \leq c$  with probability  $1-\alpha$ . Solving this equation for  $x_0$

gives two values,  $x_1$  and  $x_2$ . The  $1-\alpha$  confidence interval for  $x_0$  is  $(x_1, x_2)$ .

### 95 Percent Confidence Interval on the Slope and

Assuming  $a+bx_0$  is distributed normal  $(0, \sigma y_0^2)$ . The  $\text{var}(a+bx_0)$  equals

$$\sigma^2 \left[ \frac{1}{N} + \frac{(x_0 - \bar{x})^2}{S_{xx}} \right].$$

$$\text{Also, } S^2 = \frac{1}{N-2} \left[ \sum (Y_i - \bar{Y})^2 - \frac{[\sum (X_i - \bar{X})(Y_i - \bar{Y})]^2}{\sum (X_i - \bar{X})^2} \right]$$

$$t_{\alpha/2} = \begin{cases} 2.571 & n=5 \\ 2.447 & n=6 \end{cases} \quad \alpha = .05$$

$$V = \text{Poisson's Ratio} = \frac{(b+1)^2 - 2}{2(b+1)^2 - 2}$$

$$b \sim N(\hat{b}, c_{ii} \sigma^2)$$

Use the regression program to get the standard deviation on the slope and call this  $g$ . Then

$$P[-t_{\alpha/2} \leq \frac{\hat{b}-b}{g} \leq t_{\alpha/2}] = 1-\alpha = 0.95$$

$$P[-gt_{\alpha/2} \leq \hat{b}-b \leq t_{\alpha/2}g] = 0.95$$

$(\hat{b}-gt_{\alpha/2}, \hat{b}+gt_{\alpha/2})$  is the 95 percent confidence interval on the slope. Plug in values to get  $(Y_1, Y_2)$ , the 95 percent confidence interval for where

$$g = \sqrt{s^2 \left[ \frac{1}{\sum (x_i - \bar{x})^2} \right]}$$



## Appendix III

Socorro Raypath Analysis Using Iterative Origin Times

7  
 8 STA=CM LAT= 33.9531 LONG=106.9579  
 9 BL= 0.798205 B= 0.892137 BH= 0.986069  
 10 POISL=0.276140 POIS=0.306215 POISH=0.330190  
 11 D= 0. E= 10.  
 12 DATA POINTS= 5

13  
 14 BL= 0.734014 B= 0.766644 BH= 0.799274  
 15 POISL=0.250847 POIS=0.264265 POISH=0.276525  
 16 D= 10. E= 20.  
 17 DATA POINTS= 10

18  
 19 BL= 0.722444 B= 0.760226 BH= 0.798008  
 20 POISL=0.245781 POIS=0.261722 POISH=0.276069  
 21 D=310. E=320.  
 22 DATA POINTS= 7

23  
 24 BL= 0.789757 B= 0.873808 BH= 0.957858  
 25 POISL=0.273060 POIS=0.300888 POISH=0.323522  
 26 D=320. E=330.  
 27 DATA POINTS= 6

28  
 29 BL= 0.674325 B= 0.839823 BH= 1.005322  
 30 POISL=0.222740 POIS=0.290352 POISH=0.334509  
 31 D=330. E=340.  
 32 DATA POINTS= 4

33  
 34 BL= 0.751370 B= 0.787809 BH= 0.824248  
 35 POISL=0.263730 POIS=0.272340 POISH=0.285212  
 36 D=340. E=350.  
 37 DATA POINTS= 9

38  
 39 BL= 0.765284 B= 0.907817 BH= 1.050349  
 40 POISL=0.263730 POIS=0.310589 POISH=0.343942  
 41 D=350. E=360.  
 42 DATA POINTS= 3

43  
 44 STA=CC LAT= 34.1442 LONG=106.9812  
 45 BL= 0.716966 B= 0.759634 BH= 0.802301  
 46 POISL=0.243323 POIS=0.261485 POISH=0.277638  
 47 D=140. E=150.  
 48 DATA POINTS= 9

49  
 50 BL= 0.732740 B= 0.773411 BH= 0.814083  
 51 POISL=0.250298 POIS=0.266898 POISH=0.281745  
 52 D=170. E=180.  
 53 DATA POINTS= 9

54  
 55 BL= 0.728136 B= 0.773326 BH= 0.829516  
 56 POISL=0.248295 POIS=0.268970 POISH=0.286973  
 57 D=190. E=200.  
 58 DATA POINTS= 9

59  
 60 BL= 0.692617 B= 0.779505 BH= 0.866392  
 61 POISL=0.231496 POIS=0.269227 POISH=0.298665  
 62 D=200. E=210.  
 63 DATA POINTS= 7

64  
 65 BL= 0.735846 B= 0.807144 BH= 0.878442  
 66 POISL=0.251634 POIS=0.279324 POISH=0.302257  
 67 D=210. E=220.  
 68 DATA POINTS= 4

69  
 70 STA=FM LAT= 34.0829 LONG=106.8040  
 71 BL= 0.757959 B= 0.783149 BH= 0.808340  
 72 POISL=0.260813 POIS=0.270602 POISH=0.279744  
 73 D=250. E=260.  
 74 DATA POINTS= 7

75  
 76 BL= 0.741213 B= 0.797739 BH= 0.854265  
 77 POISL=0.253915 POIS=0.275972 POISH=0.294939  
 78 D=260. E=270.  
 79 DATA POINTS= 5

80  
 81 BL= 0.707444 B= 0.754889 BH= 0.802334  
 82 POISL=0.238953 POIS=0.259573 POISH=0.277620  
 83 D=270. E=280.  
 84 DATA POINTS= 6

STA=CU LAT= 34.1573 LONG=106.7795

STA=SL LAT= 34.0000 LONG=106.0000  
 BL= 0.659492 B= 0.783371 BH= 0.938250  
 POISL=0.214923 POIS=0.270873 POISH=0.310708  
 D=190. E=200.  
 DATA POINTS= 3

STA=FR LAT= 34.0000 LONG=106.0000

STA=BG LAT= 34.2068 LONG=106.8205

STA=IC LAT= 34.0000 LONG=106.0000  
 BL= 0.755645 B= 0.806242 BH= 0.856839  
 POISL=0.259879 POIS=0.279006 POISH=0.295739  
 D=20. E=30.  
 DATA POINTS= 3

BL= 0.694738 B= 0.769917 BH= 0.845055  
 POISL=0.232925 POIS=0.265545 POISH=0.292046  
 D=300. E=310.  
 DATA POINTS= 3

BL= 0.711006 B= 0.722113 BH= 0.733219  
 POISL=0.240602 POIS=0.245634 POISH=0.250505  
 D=310. E=320.  
 DATA POINTS= 3

BL= 0.727907 B= 0.776284 BH= 0.824662  
 POISL=0.248194 POIS=0.269001 POISH=0.285352  
 D=320. E=330.  
 DATA POINTS= 3

BL= 0.624297 B= 0.721224 BH= 0.818151  
 POISL=0.194913 POIS=0.245237 POISH=0.283143  
 D=330. E=340.  
 DATA POINTS= 3

BL= 0.754703 B= 0.782782 BH= 0.810860  
 POISL=0.259497 POIS=0.270464 POISH=0.280626  
 D=350. E=360.  
 DATA POINTS= 6

STA=WM LAT= 34.0000 LONG=106.0000  
 BL= 0.638325 B= 0.731226 BH= 0.824127  
 POISL=0.203106 POIS=0.249642 POISH=0.285172  
 D=290. E=300.  
 DATA POINTS= 3

BL= 0.661402 B= 0.823560 BH= 0.985717  
 POISL=0.215950 POIS=0.284980 POISH=0.330109  
 D=300. E=310.  
 DATA POINTS= 4

BL= 0.647251 B= 0.714792 BH= 0.782333  
 POISL=0.208189 POIS=0.242336 POISH=0.270296  
 D=340. E=350.  
 DATA POINTS= 5

STA=DM LAT= 34.1075 LONG=106.8079  
 BL= 0.698513 B= 0.774222 BH= 0.849931  
 POISL=0.234740 POIS=0.267210 POISH=0.293579  
 D=250. E=260.  
 DATA POINTS= 5

STA=SC LAT= 34.0100 LONG=107.0894  
 BL= 0.551911 B= 0.831833 BH= 1.111754  
 POISL=0.144994 POIS=0.267741 POISH=0.355471  
 D=30. E=40.  
 DATA POINTS= 3

BL= 0.752158 B= 0.801715 BH= 0.851271  
 POISL=0.258460 POIS=0.277399 POISH=0.294001  
 D=40. E=50.  
 DATA POINTS= 7

BL= 0.688901 B= 0.736745 BH= 0.784598  
 POISL=0.230077 POIS=0.252018 POISH=0.271141  
 D=50. E=60.  
 DATA POINTS= 4

0.661400 B= 0.823560 RH= 0.771117  
ISL=0.215950 POIS=0.284980 POISH=0.330109  
300. E=310.  
TA POINTS= 4

= 0.647251 B= 0.714792 RH= 0.782331  
ISL=0.208189 POIS=0.242336 POISH=0.270296  
340. E=350.  
TA POINTS= 5

A=DM LAT= 34.1075 LONG=106.8079  
B= 0.698513 B= 0.774222 RH= 0.849931  
ISL=0.234740 POIS=0.267210 POISH=0.293579  
250. E=260.  
TA POINTS= 5

A=SC LAT= 34.0100 LONG=107.0894  
B= 0.551911 B= 0.831333 RH= 1.111754  
ISL=0.144994 POIS=0.287741 POISH=0.355471  
30. E=40.  
TA POINTS= 3

= 0.752153 B= 0.801715 RH= 0.851271  
ISL=0.258460 POIS=0.277399 POISH=0.294001  
40. E=50.  
TA POINTS= 7

= 0.688901 B= 0.736745 RH= 0.784588  
ISL=0.230077 POIS=0.252018 POISH=0.271141  
50. E=60.  
TA POINTS= 4

= 0.743411 B= 0.766561 RH= 0.787711  
ISL=0.254839 POIS=0.264233 POISH=0.273043  
60. E=70.  
TA POINTS= 18

= 0.820264 B= 0.844294 RH= 0.869325  
ISL=0.283864 POIS=0.291790 POISH=0.299248  
70. E=80.  
TA POINTS= 3

= 0.778804 B= 0.796109 RH= 0.813415  
ISL=0.268962 POIS=0.275383 POISH=0.281513  
80. E=90.  
TA POINTS= 3

= 0.665936 B= 0.773851 RH= 0.801766  
ISL=0.218364 POIS=0.267067 POISH=0.303230  
90. E=100.  
TA POINTS= 3

A=WT LAT= 34.0722 LONG=106.9459  
B= 0.712021 B= 0.772380 RH= 0.832139  
ISL=0.241069 POIS=0.266334 POISH=0.287842  
50. E=60.  
TA POINTS= 7

= 0.712256 B= 0.810803 RH= 0.909351  
ISL=0.241176 POIS=0.280606 POISH=0.311008  
60. E=70.  
TA POINTS= 5

= 0.657139 B= 0.753867 RH= 0.850596  
ISL=0.213649 POIS=0.259158 POISH=0.293789  
200. E=210.  
ATA POINTS= 4

L= 0.641023 B= 0.795740 RH= 0.950457  
ISL=0.204658 POIS=0.275249 POISH=0.321701  
210. E=220.  
ATA POINTS= 3

L= 0.595871 B= 0.725950 RH= 0.856029  
ISL=0.176753 POIS=0.247334 POISH=0.295488  
230. E=240.  
ATA POINTS= 4

L= 0.643194 B= 0.738140 RH= 0.833086  
ISL=0.205857 POIS=0.252613 POISH=0.288154  
240. E=250.  
ATA POINTS= 7

L= 0.693914 B= 0.761530 RH= 0.829147  
ISL=0.232526 POIS=0.262243 POISH=0.286351  
250. E=260.  
ATA POINTS= 7

L= 0.731410 B= 0.827523 RH= 0.923636  
ISL=0.240722 POIS=0.286310 POISH=0.314840  
260. E=270.  
ATA POINTS= 8

## Socorro Raypath Analysis Using Forced Wadati Origin Times

STA=SI LAT= 34.0000 LONG=106.0000  
 BL= 0.646981 B= 0.735424 BH= 0.786767  
 POISL=0.224833 POIS=0.251881 POISH=0.271953  
 D=190. F=200.  
 DATA POINTS= 3

STA=FR LAT= 34.0000 LONG=106.0000

STA=RG LAT= 34.2068 LONG=106.8205

STA=CU LAT= 34.1573 LONG=106.7785

STA=TA LAT= 34.0498 LONG=106.7751  
 BL= 0.656961 B= 0.718735 BH= 0.780508  
 POISL=0.213532 POIS=0.244121 POISH=0.269607  
 D=340. F=350.  
 DATA POINTS= 3

STA=OM LAT= 34.1975 LONG=106.8079  
 BL= 0.734051 B= 0.764537 BH= 0.795023  
 POISL=0.253363 POIS=0.263436 POISH=0.274988  
 D=240. F=250.  
 DATA POINTS= 3

BL= 0.743627 B= 0.743332 BH= 0.754138  
 POISL=0.254931 POIS=0.257115 POISH=0.259268  
 D=250. F=260.  
 DATA POINTS= 4

BL= 0.675875 B= 0.742023 BH= 0.806971  
 POISL=0.223536 POIS=0.254635 POISH=0.280316  
 D=350. F=360.  
 DATA POINTS= 3

STA=FM LAT= 34.0829 LONG=106.8040  
 BL= 0.745719 B= 0.775236 BH= 0.834953  
 POISL=0.255303 POIS=0.267638 POISH=0.278551  
 D=210. F=220.  
 DATA POINTS= 3

BL= 0.740336 B= 0.767626 BH= 0.794917  
 POISL=0.253543 POIS=0.264651 POISH=0.274949  
 D=250. F=260.  
 DATA POINTS= 7

BL= 0.733349 B= 0.754963 BH= 0.776377  
 POISL=0.250561 POIS=0.259562 POISH=0.268036  
 D=260. F=270.  
 DATA POINTS= 5

BL= 0.725467 B= 0.757938 BH= 0.790409  
 POISL=0.247121 POIS=0.260305 POISH=0.273301  
 D=270. F=280.  
 DATA POINTS= 6

STA=IC LAT= 34.0000 LONG=106.0000  
 BL= 0.695850 B= 0.718429 BH= 0.751007  
 POISL=0.228560 POIS=0.243983 POISH=0.257989  
 D=230. F=30.  
 DATA POINTS= 3

BL= 0.704096 B= 0.755740 BH= 0.806494  
 POISL=0.237805 POIS=0.257918 POISH=0.279095  
 D=310. F=320.  
 DATA POINTS= 5

BL= 0.632448 B= 0.724262 BH= 0.816058  
 POISL=0.190500 POIS=0.246539 POISH=0.282425  
 D=330. F=340.  
 DATA POINTS= 3

BL= 0.737417 B= 0.771064 BH= 0.805376  
 POISL=0.252305 POIS=0.260119 POISH=0.278701  
 D=350. F=360.  
 DATA POINTS= 3

TA POINTS= 3  
PNTS=0.264551 PNTSH=0.274949

= 0.747336 B= 0.757626 RH= 0.794917  
ISL=0.253849 PNTS=0.264551 PNTSH=0.274949  
250. E=260.  
TA POINTS= 7

= 0.733349 B= 0.754363 RH= 0.776377  
ISL=0.253861 PNTS=0.259567 PNTSH=0.268036  
260. E=270.  
TA POINTS= 5

= 0.725467 B= 0.757938 RH= 0.799409  
ISL=0.247121 PNTS=0.260975 PNTSH=0.273301  
270. E=280.  
TA POINTS= 6

A=IC LAT= 34.0000 LONG=106.3700  
= 0.695950 B= 0.718429 RH= 0.751007  
ISL=0.228569 PNTS=0.243983 PNTSH=0.257989  
20. E=30.  
TA POINTS= 3

= 0.704936 B= 0.755740 RH= 0.806494  
ISL=0.237895 PNTS=0.250918 PNTSH=0.279095  
110. E=320.  
TA POINTS= 5

= 0.632468 B= 0.724263 RH= 0.816058  
ISL=0.199690 PNTS=0.246539 PNTSH=0.282425  
130. E=340.  
TA POINTS= 3

= 0.737417 B= 0.771396 RH= 0.805376  
ISL=0.252305 PNTS=0.266119 PNTSH=0.278701  
150. E=360.  
TA POINTS= 6

A=HW LAT= 34.0000 LONG=106.0000  
= 0.743032 B= 0.788291 RH= 0.823499  
ISL=0.256785 PNTS=0.272513 PNTSH=0.286635  
290. E=300.  
TA POINTS= 5

= 0.705933 B= 0.718274 RH= 0.777610  
ISL=0.233250 PNTS=0.243913 PNTSH=0.249375  
340. E=350.  
TA POINTS= 5

A=CC LAT= 34.1442 LONG=106.9812  
= 0.743824 B= 0.753078 RH= 0.772332  
ISL=0.255013 PNTS=0.260861 PNTSH=0.266482  
130. E=140.  
TA POINTS= 3

= 0.723770 B= 0.740617 RH= 0.757514  
ISL=0.246349 PNTS=0.253664 PNTSH=0.260634  
140. E=150.  
TA POINTS= 8

= 0.723109 B= 0.739324 RH= 0.755539  
ISL=0.246077 PNTS=0.253116 PNTSH=0.259837  
170. E=180.  
TA POINTS= 7

= 0.711492 B= 0.756968 RH= 0.802445  
ISL=0.240826 PNTS=0.260414 PNTSH=0.277660  
130. E=100.  
TA POINTS= 3

= 0.717292 B= 0.746385 RH= 0.775477  
ISL=0.243470 PNTS=0.256031 PNTSH=0.267693  
190. E=200.  
TA POINTS= 7

= 0.722281 B= 0.759348 RH= 0.796415  
ISL=0.244815 PNTS=0.260970 PNTSH=0.275493  
200. E=210.  
TA POINTS= 6

= 0.722984 B= 0.747902 RH= 0.772920  
ISL=0.245977 PNTS=0.256710 PNTSH=0.266709  
210. E=220.  
TA POINTS= 7

A=SC LAT= 34.0100 LONG=107.0894  
= 0.737024 B= 0.758717 RH= 0.780410  
ISL=0.252133 PNTS=0.261118 PNTSH=0.269577  
= 30. E=40.  
ATA POINTS= 4

STA=SC LAT= 34.0101 LONG=107.8994  
 BL= 0.737024 B= 0.758717 BH= 0.780410  
 POISL=0.252133 POIS=0.261118 POISH=0.269573  
 D= 30. E= 40.  
 DATA POINTS= 4

BL= 0.745722 B= 0.783244 BH= 0.820767  
 POISL=0.255305 POIS=0.270618 POISH=0.284035  
 D= 40. E= 50.  
 DATA POINTS= 5

BL= 0.726925 B= 0.747796 BH= 0.768667  
 POISL=0.247763 POIS=0.256666 POISH=0.265057  
 D= 50. E= 60.  
 DATA POINTS= 5

BL= 0.743557 B= 0.754279 BH= 0.765000  
 POISL=0.254300 POIS=0.259325 POISH=0.263619  
 D= 60. E= 70.  
 DATA POINTS= 17

BL= 0.767172 B= 0.785287 BH= 0.804802  
 POISL=0.264471 POIS=0.271663 POISH=0.273497  
 D= 70. E= 80.  
 DATA POINTS= 3

BL= 0.677683 B= 0.724687 BH= 0.771691  
 POISL=0.224460 POIS=0.246777 POISH=0.266233  
 D= 80. E= 90.  
 DATA POINTS= 3

BL= 0.678825 B= 0.712358 BH= 0.745890  
 POISL=0.225041 POIS=0.241223 POISH=0.255875  
 D= 100. E= 110.  
 DATA POINTS= 3

STA=CM LAT= 33.9501 LONG=106.9579  
 BL= 0.739280 B= 0.773168 BH= 0.817148  
 POISL=0.253101 POIS=0.268720 POISH=0.282765  
 D= 0. E= 10.  
 DATA POINTS= 4

BL= 0.746243 B= 0.764511 BH= 0.792779  
 POISL=0.256022 POIS=0.263425 POISH=0.270463  
 D= 10. E= 20.  
 DATA POINTS= 10

BL= 0.751749 B= 0.771161 BH= 0.790574  
 POISL=0.258293 POIS=0.266028 POISH=0.273361  
 D= 30. E= 30.  
 DATA POINTS= 9

BL= 0.724715 B= 0.832244 BH= 0.939773  
 POISL=0.246789 POIS=0.287876 POISH=0.319019  
 D= 320. E= 330.  
 DATA POINTS= 5

BL= 0.742931 B= 0.787043 BH= 0.831155  
 POISL=0.254638 POIS=0.272056 POISH=0.287517  
 D= 330. E= 340.  
 DATA POINTS= 3

BL= 0.754878 B= 0.768219 BH= 0.791560  
 POISL=0.259563 POIS=0.264882 POISH=0.270004  
 D= 340. E= 350.  
 DATA POINTS= 10

BL= 0.723742 B= 0.768818 BH= 0.813995  
 POISL=0.246358 POIS=0.265117 POISH=0.281680  
 D= 350. E= 360.  
 DATA POINTS= 4

STA=WT LAT= 34.0722 LONG=106.9459  
 BL= 0.822499 B= 0.843003 BH= 0.863507  
 POISL=0.284622 POIS=0.291376 POISH=0.297788  
 D= 20. E= 30.  
 DATA POINTS= 3

BL= 0.734821 B= 0.765950 BH= 0.797099  
 POISL=0.251194 POIS=0.263977 POISH=0.275741  
 D= 50. E= 60.  
 DATA POINTS= 6

BL= 0.758233 B= 0.807769 BH= 0.857305  
 POISL=0.260923 POIS=0.279544 POISH=0.295883  
 D= 60. E= 70.  
 DATA POINTS= 3

BL= 0.672967 B= 0.757295 BH= 0.841623  
 POISL=0.222739 POIS=0.260546 POISH=0.290932  
 D= 70. E= 80.  
 DATA POINTS= 4

BL= 0.673192 B= 0.751572 BH= 0.820952

= 0.751740 B= 0.771161 BH= 0.790574  
ISL=0.258793 POIS=0.266028 PCISH=0.273361  
310. E=320.  
TA POINTS= 9

= 0.724715 B= 0.332244 BH= 0.939773  
ISL=0.246739 POIS=0.287976 PCISH=0.319019  
320. E=330.  
TA POINTS= 5

= 0.742931 B= 0.737743 BH= 0.831155  
ISL=0.254633 POIS=0.272056 PCISH=0.287517  
320. E=340.  
TA POINTS= 3

= 0.754478 B= 0.768210 BH= 0.781960  
ISL=0.259568 POIS=0.264882 PCISH=0.270004  
340. E=350.  
TA POINTS= 10

= 0.723742 B= 0.768818 BH= 0.813495  
ISL=0.246358 POIS=0.265117 PCISH=0.281680  
350. E=360.  
TA POINTS= 4

A=WT LAT= 34.0722 LCNG=106.9459  
= 0.822499 B= 0.843003 BH= 0.863507  
ISL=0.284622 POIS=0.291376 PCISH=0.297788  
20. E=30.  
TA POINTS= 3

= 0.734821 B= 0.765960 BH= 0.797099  
ISL=0.251194 POIS=0.263977 PCISH=0.275741  
50. E=60.  
TA POINTS= 6

= 0.758233 B= 0.807769 BH= 0.857305  
ISL=0.260923 POIS=0.279544 PCISH=0.295983  
60. E=70.  
TA POINTS= 3

= 0.672967 B= 0.757285 BH= 0.841623  
ISL=0.222037 POIS=0.260546 PCISH=0.290932  
70. E=80.  
TA POINTS= 4

= 0.673192 B= 0.751572 BH= 0.828952  
ISL=0.222136 POIS=0.259221 PCISH=0.287118  
190. E=200.  
TA POINTS= 3

= 0.624328 B= 0.707856 BH= 0.777463  
ISL=0.194832 POIS=0.235875 PCISH=0.268451  
200. E=210.  
TA POINTS= 3

= 0.691652 B= 0.713540 BH= 0.735429  
ISL=0.231425 POIS=0.241765 PCISH=0.251455  
230. E=240.  
TA POINTS= 5

= 0.702666 B= 0.738646 BH= 0.774625  
ISL=0.236713 POIS=0.252829 PCISH=0.267365  
240. E=250.  
TA POINTS= 7

= 0.736120 B= 0.756256 BH= 0.776392  
ISL=0.251751 POIS=0.260126 PCISH=0.268042  
250. E=260.  
TA POINTS= 9

= 0.698437 B= 0.712492 BH= 0.726547  
ISL=0.234704 POIS=0.241285 PCISH=0.247597  
260. E=270.  
TA POINTS= 5

1 STOP 0

00:00:18

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